

The Intergalactic Dispersion Measure in the EAGLE Simulations

Adam Batten

Prof. Alan Duffy & A/Prof. Emma Ryan-Weber

Nastasha Wijers (Leiden), Joop Schaye (Leiden), Vivek Gupta (Swinburne),
Chris Flynn (Swinburne), Chris Blake (Swinburne)

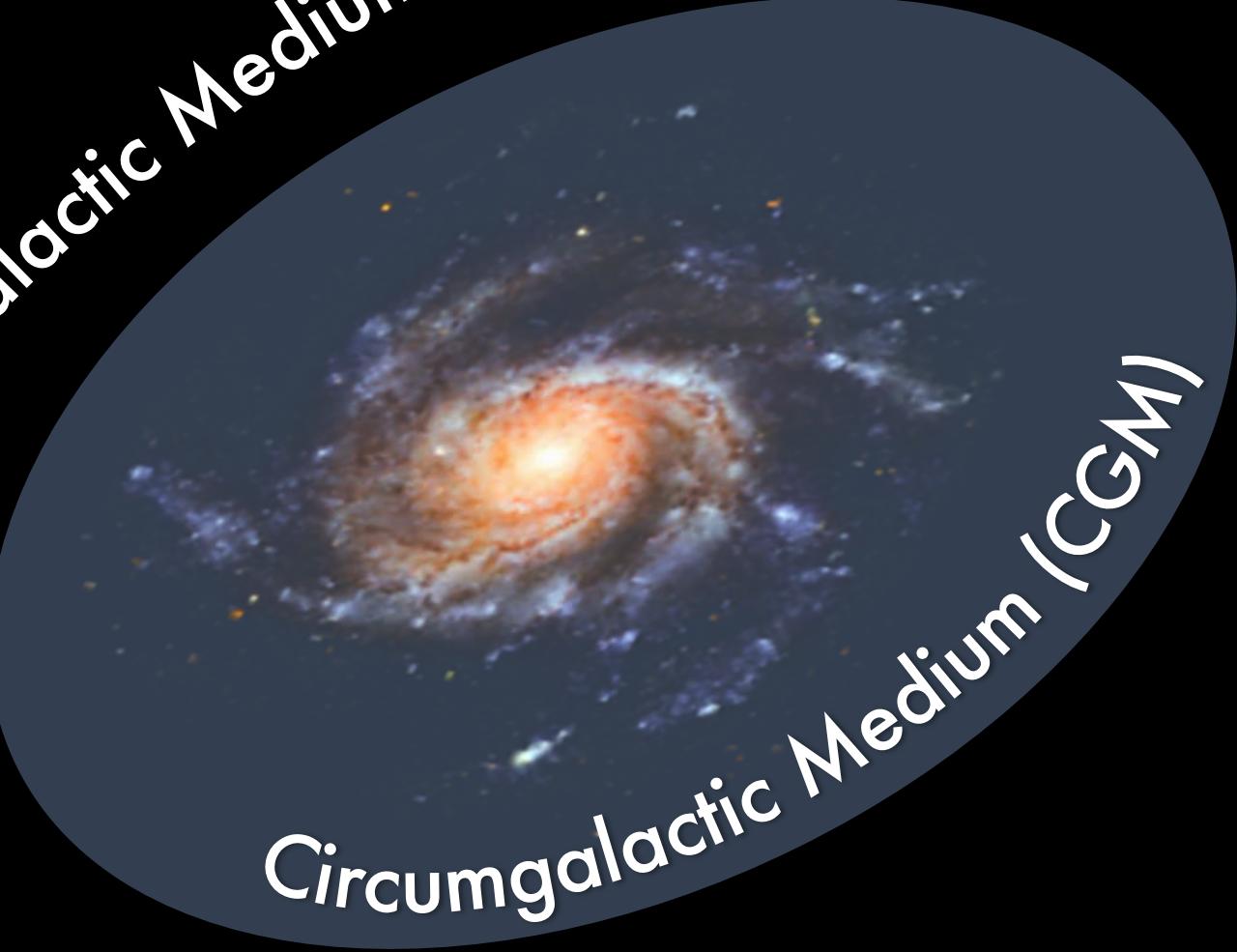


Centre for
Astrophysics and
Supercomputing



@adamjbatten
Australia-ESO joint conference 19/02/2020

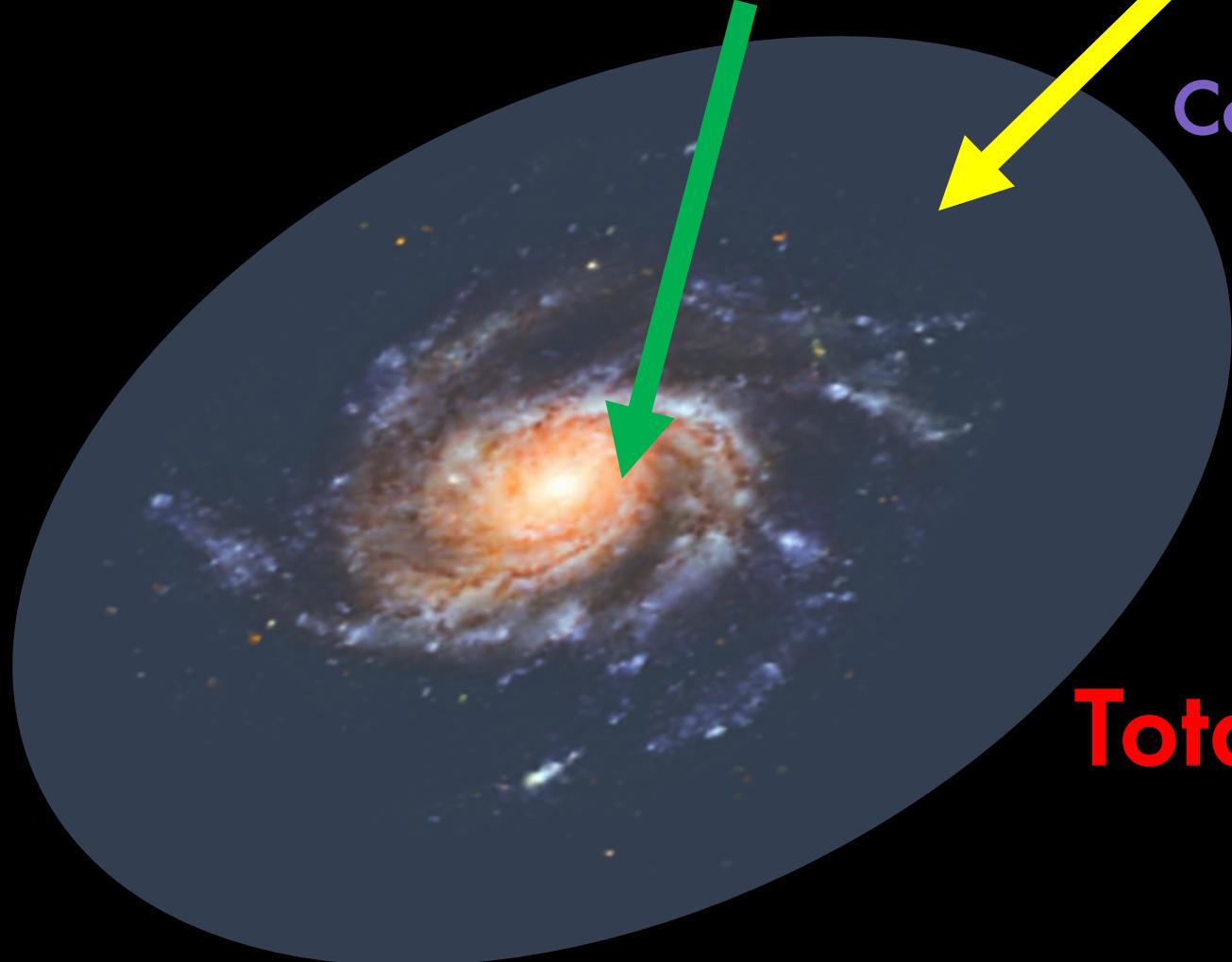
ASTRO 3D



Intergalactic Medium (IGM)

Circumgalactic Medium (cGM)

Shull et al. (2012)



Galaxies ~ 7%

CGM ~ 5%

Cold Gas ~ 2%

ICM ~ 4%

Total ~ 18%

Shull et al. (2012)

IGM $\sim 82\%$

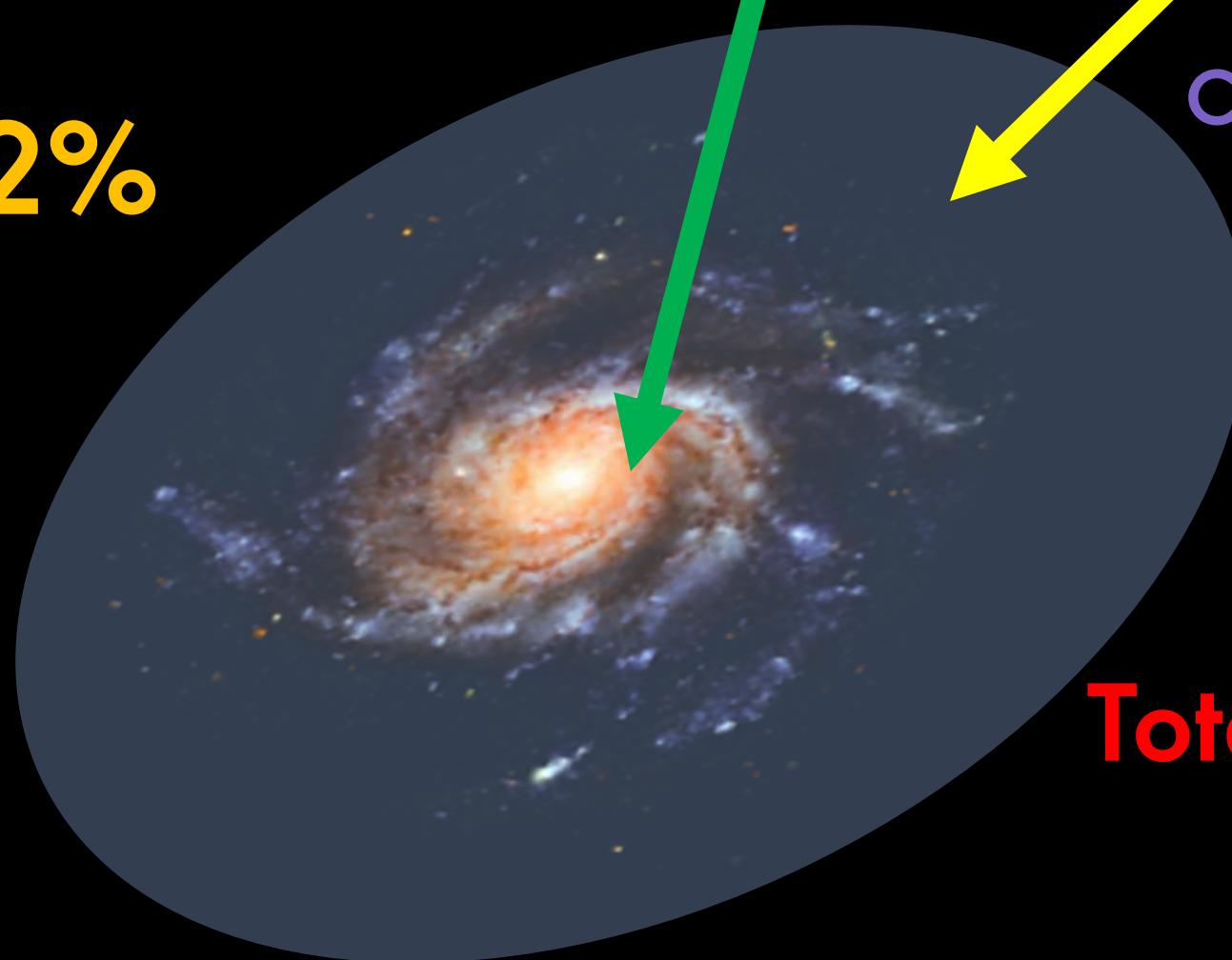
Galaxies $\sim 7\%$

CGM $\sim 5\%$

Cold Gas $\sim 2\%$

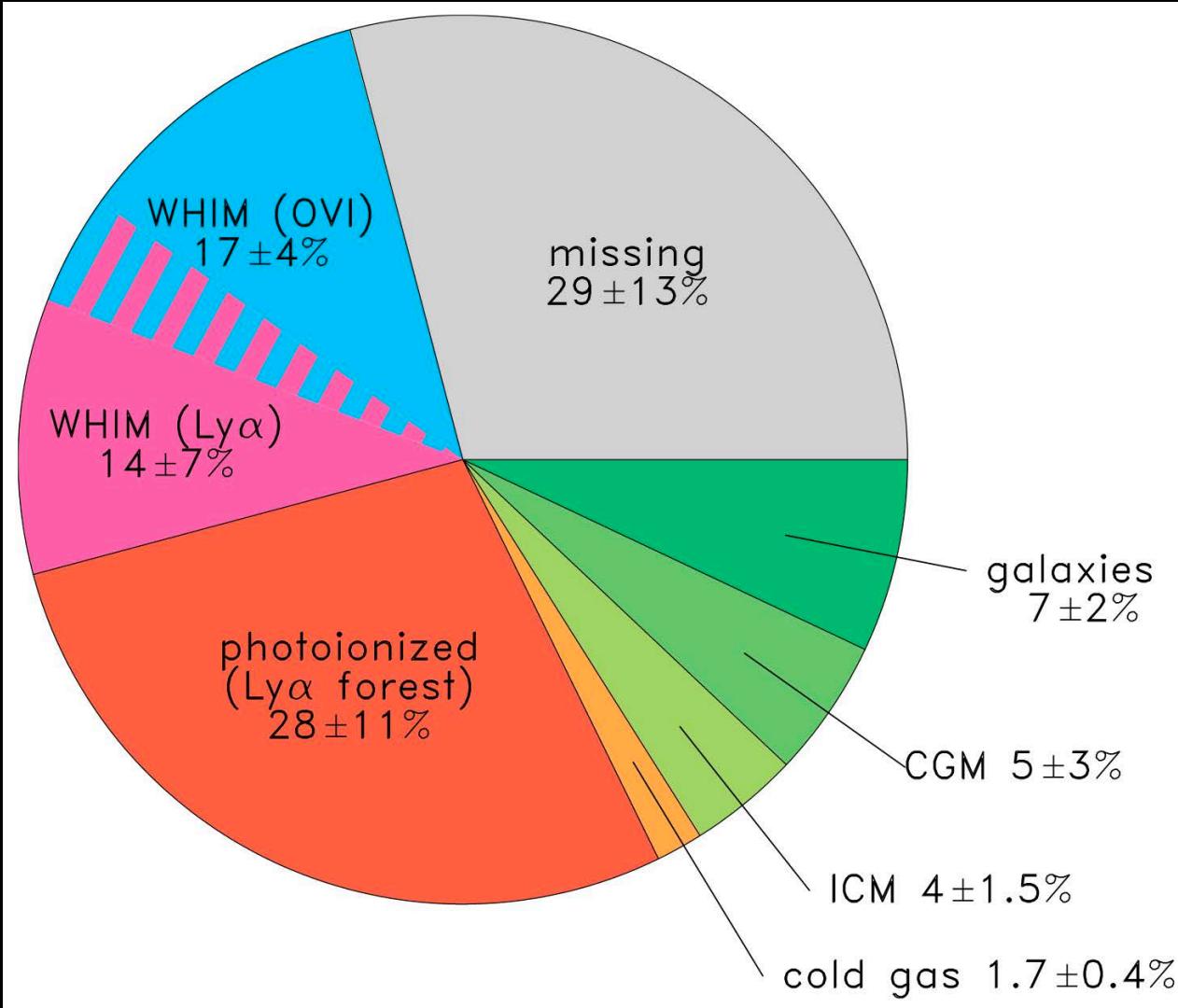
ICM $\sim 4\%$

Total $\sim 18\%$



The IGM contains most of the baryonic matter

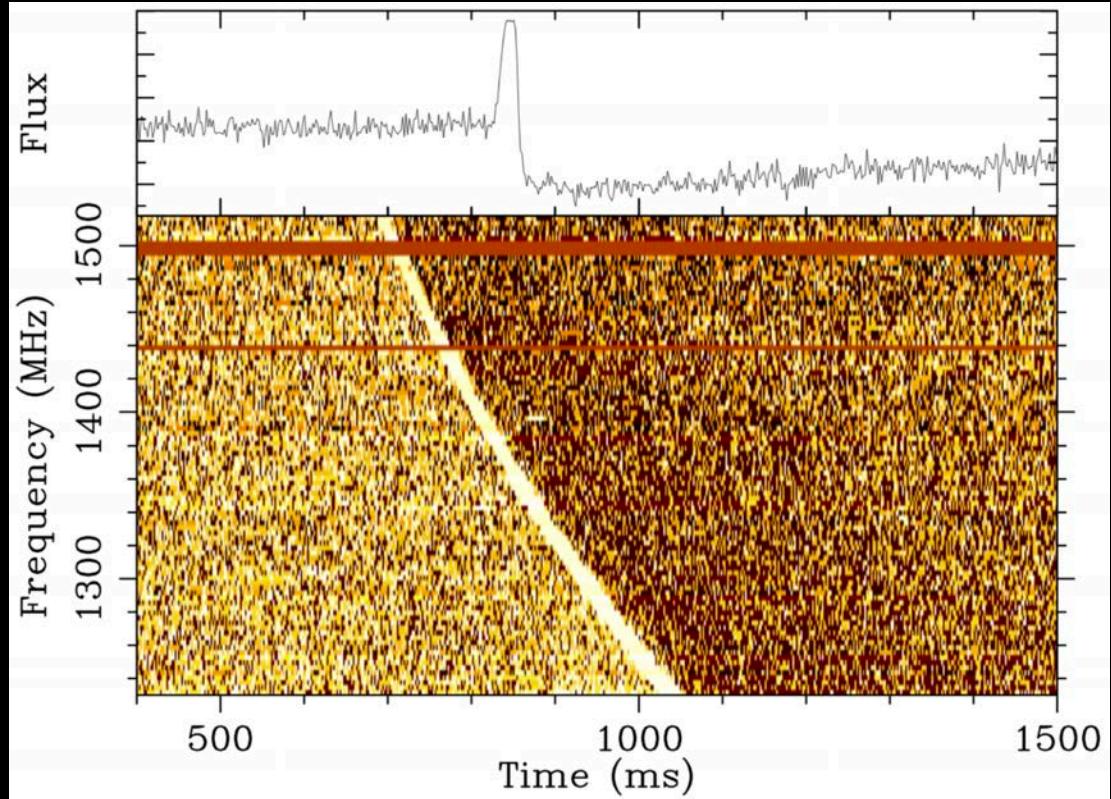
The “Missing Baryon” Problem



**~ 30% of baryons
at low redshift
appear to be
missing!**

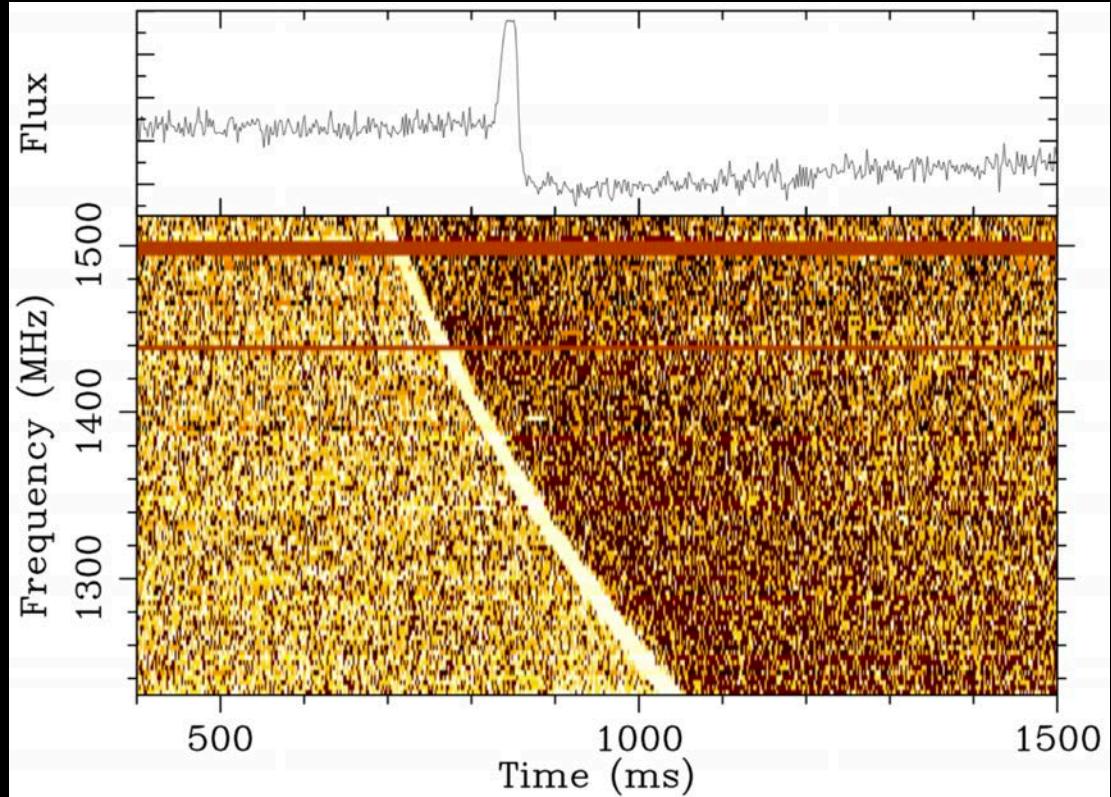
Lorimer et al. (2007)
Petroff et al. (2019)
Deng & Zhang (2014)

Fast Radio Bursts (FRBs)



Lorimer et al. (2007)
Petroff et al. (2019)
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Fast Radio Bursts (FRBs)



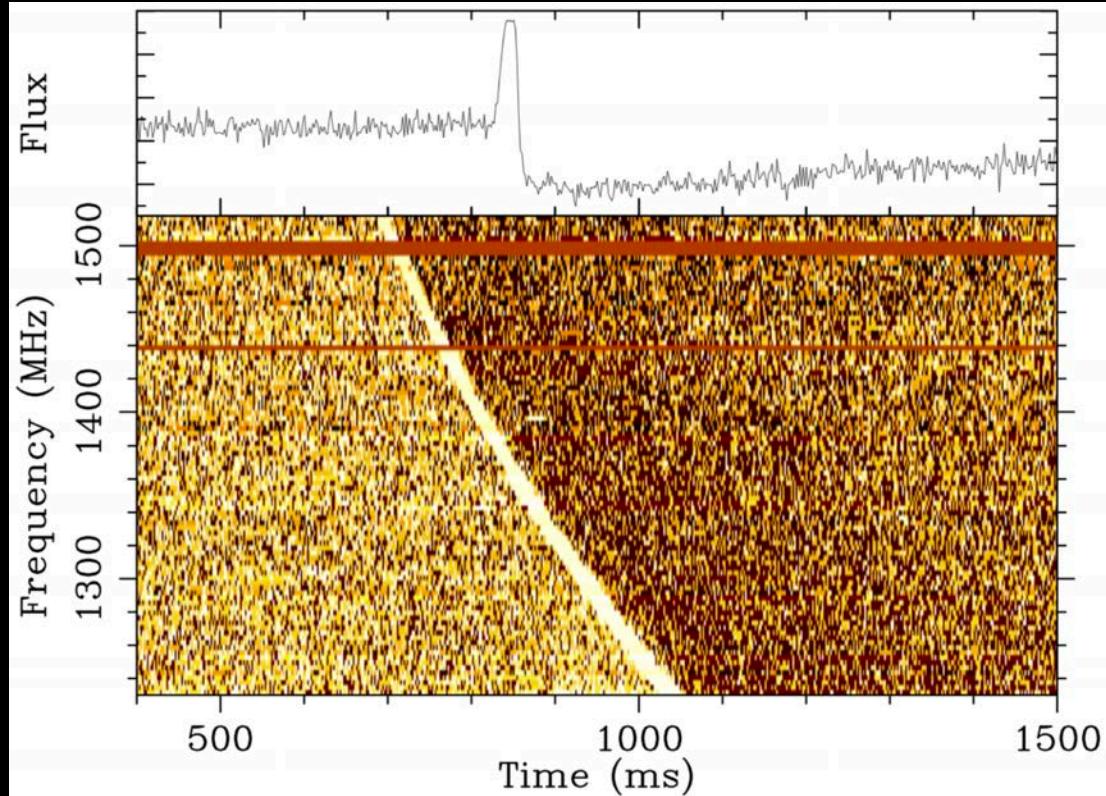
$$\text{DM}_{\text{tot}} = \text{DM}_{\text{MW}} + \text{DM}_{\text{IGM}} + \text{DM}_{\text{host}}$$

$$\Omega_b f_{\text{IGM}} = \frac{8\pi G m_p \text{DM}_{\text{IGM}}}{3c H_0} / \int_0^z \frac{\left[\frac{3}{4} y_1 \chi_{e,\text{H}}(z) + \frac{1}{8} y_2 \chi_{e,\text{He}}(z) \right] (1+z) dz}{[\Omega_m (1+z)^3 + \Omega_\Lambda]^{1/2}}$$



Lorimer et al. (2007)
Petroff et al. (2019)
Deng & Zhang (2014)

Fast Radio Bursts (FRBs)



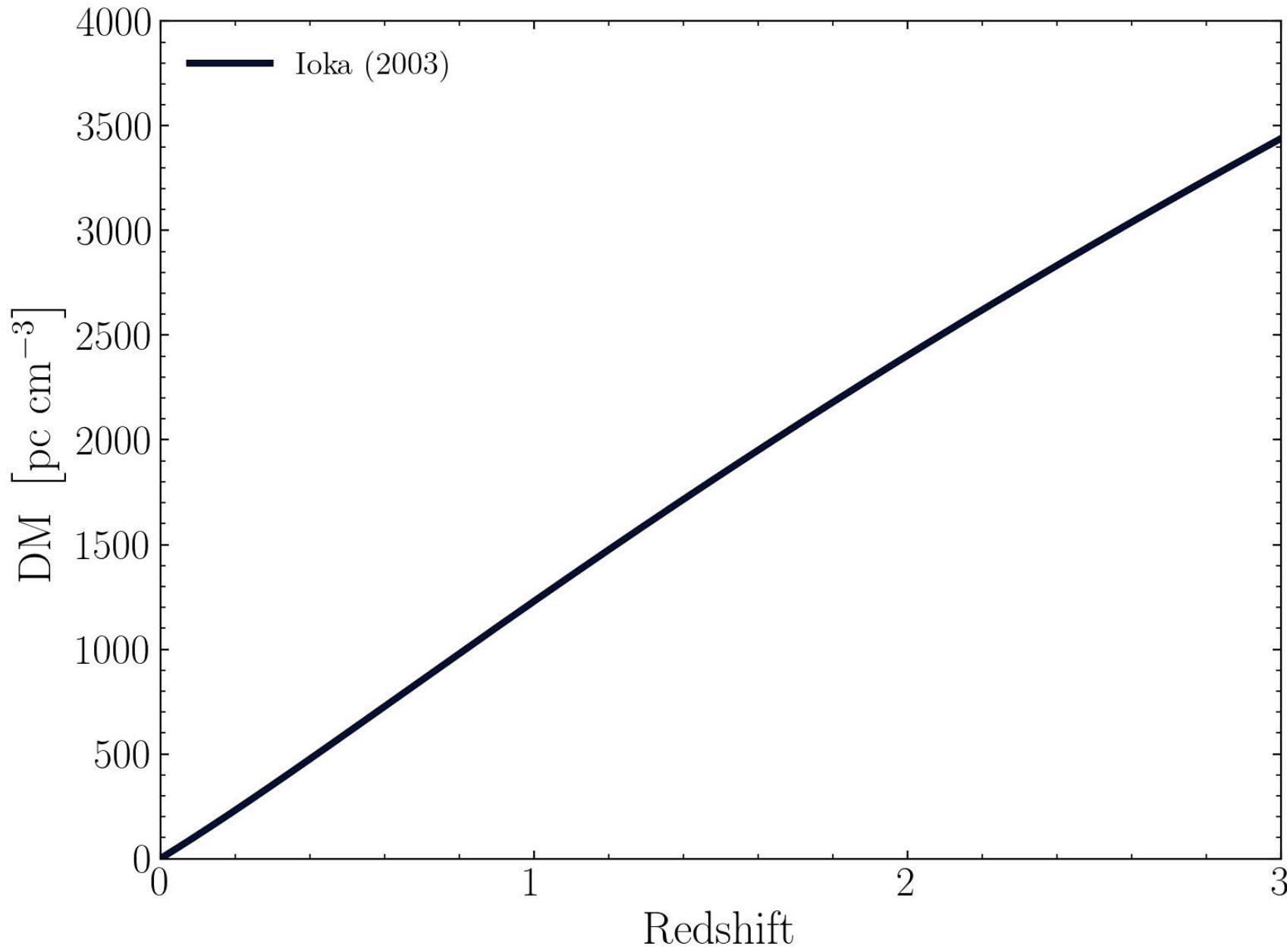
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DM-z Relations

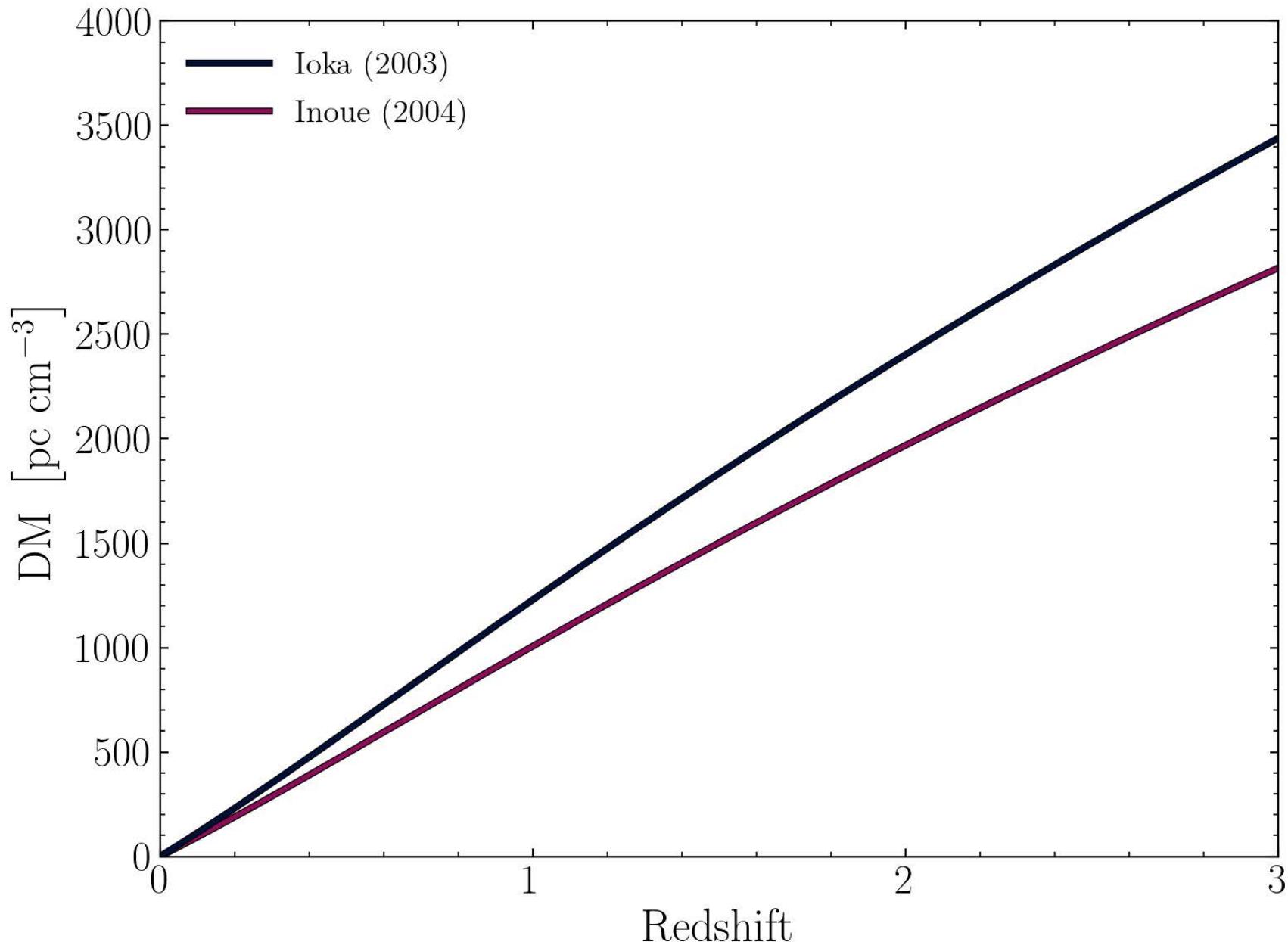
Ioka (2003) [Analytic]



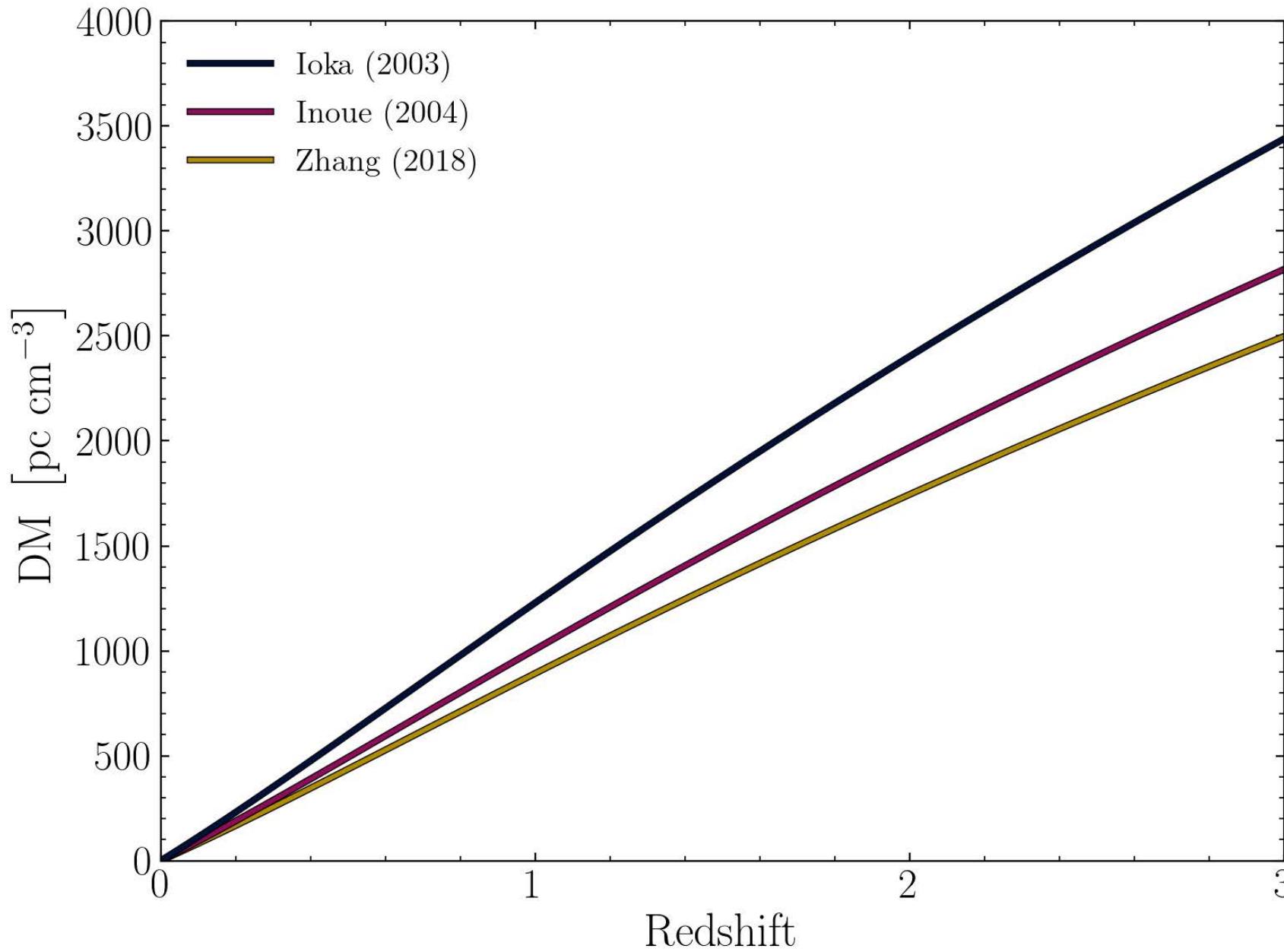
DM-z Relations

Ioka (2003) [Analytic]

Inoue (2004) [Analytic]



DM-z Relations

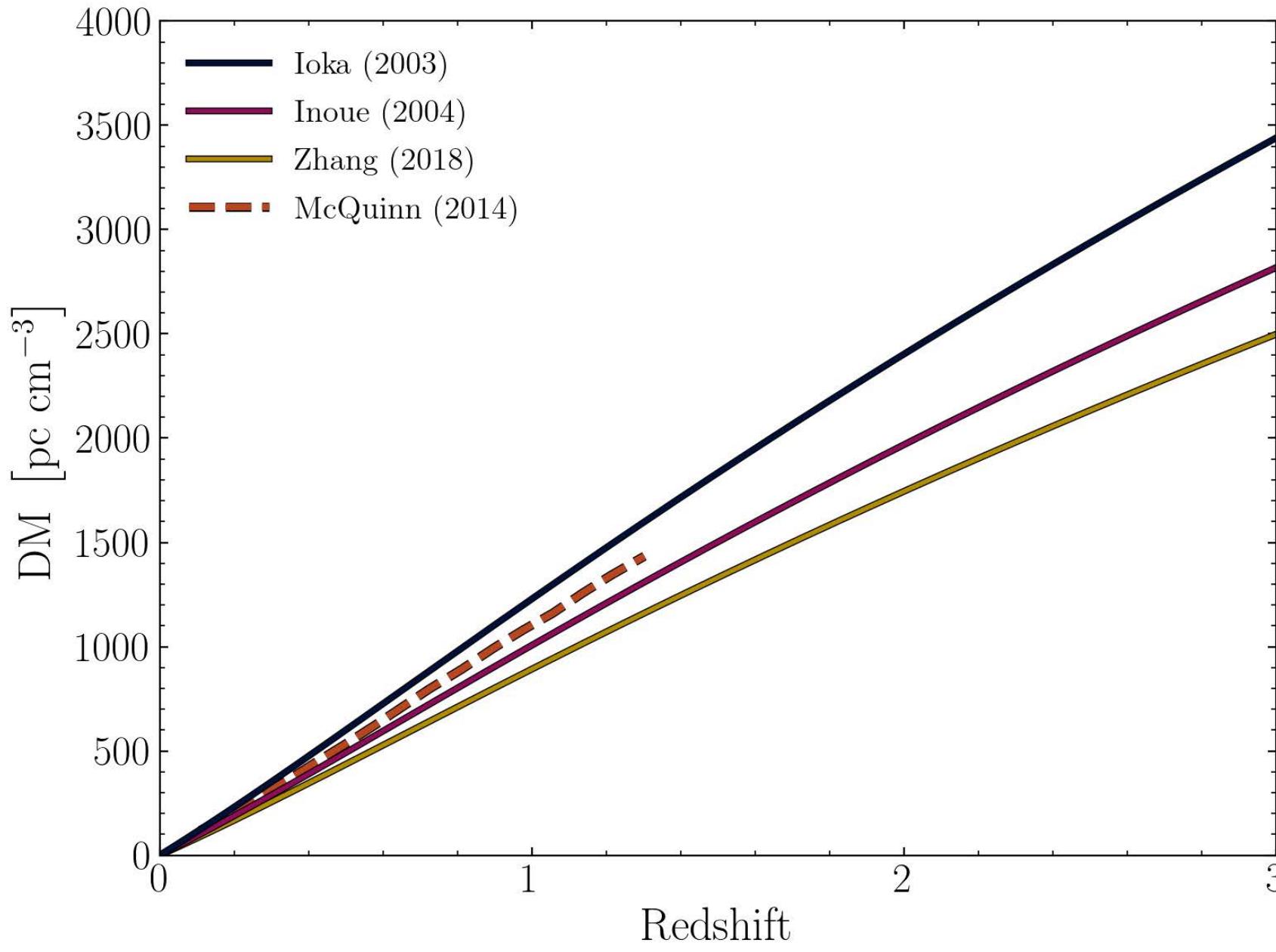


Ioka (2003) [Analytic]

Inoue (2004) [Analytic]

Zhang (2018) [Analytic]

DM-z Relations



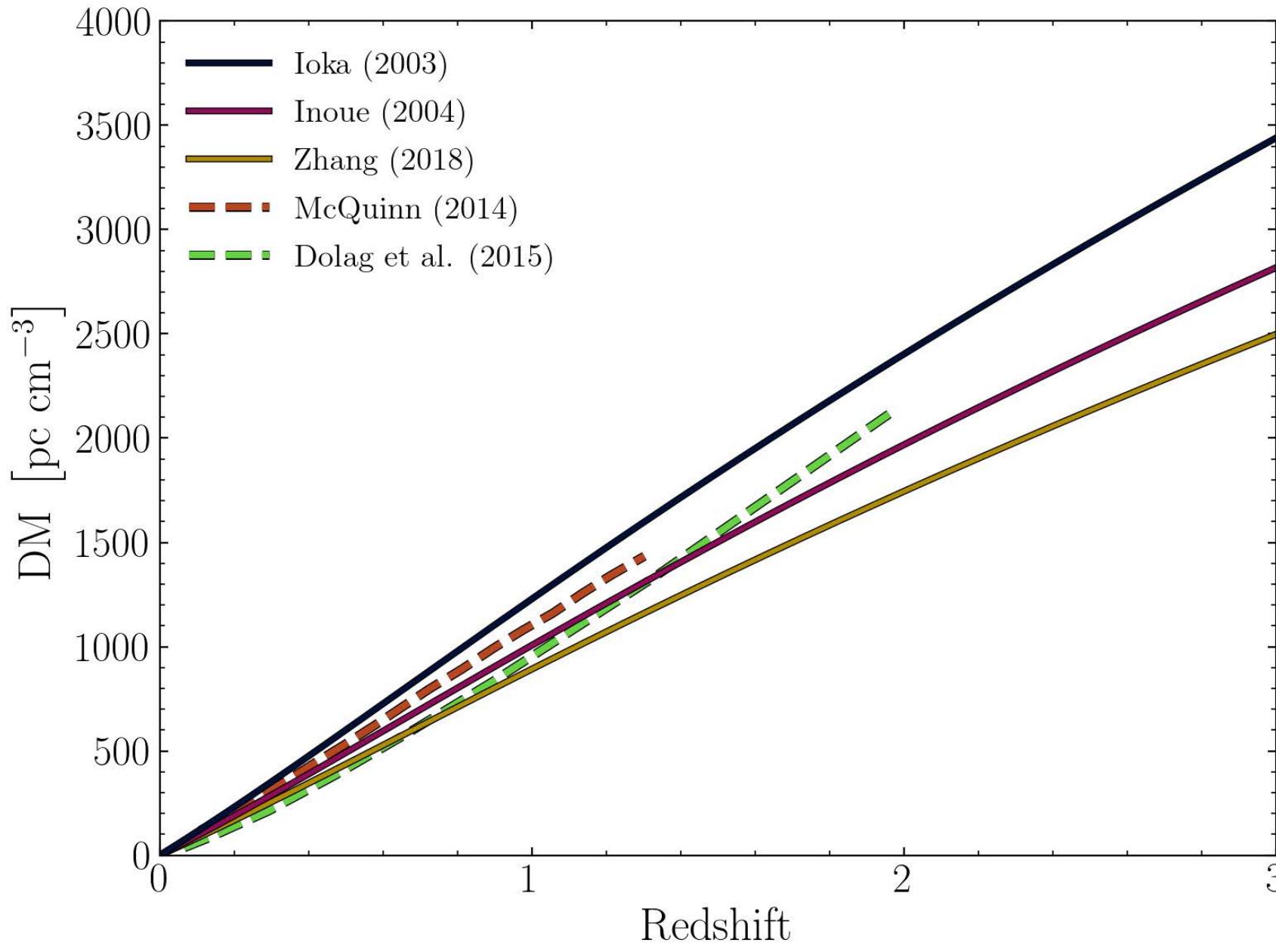
Ioka (2003) [Analytic]

Inoue (2004) [Analytic]

Zhang (2018) [Analytic]

McQuinn (2014) [Hydro]

DM-z Relations



Ioka (2003) [Analytic]

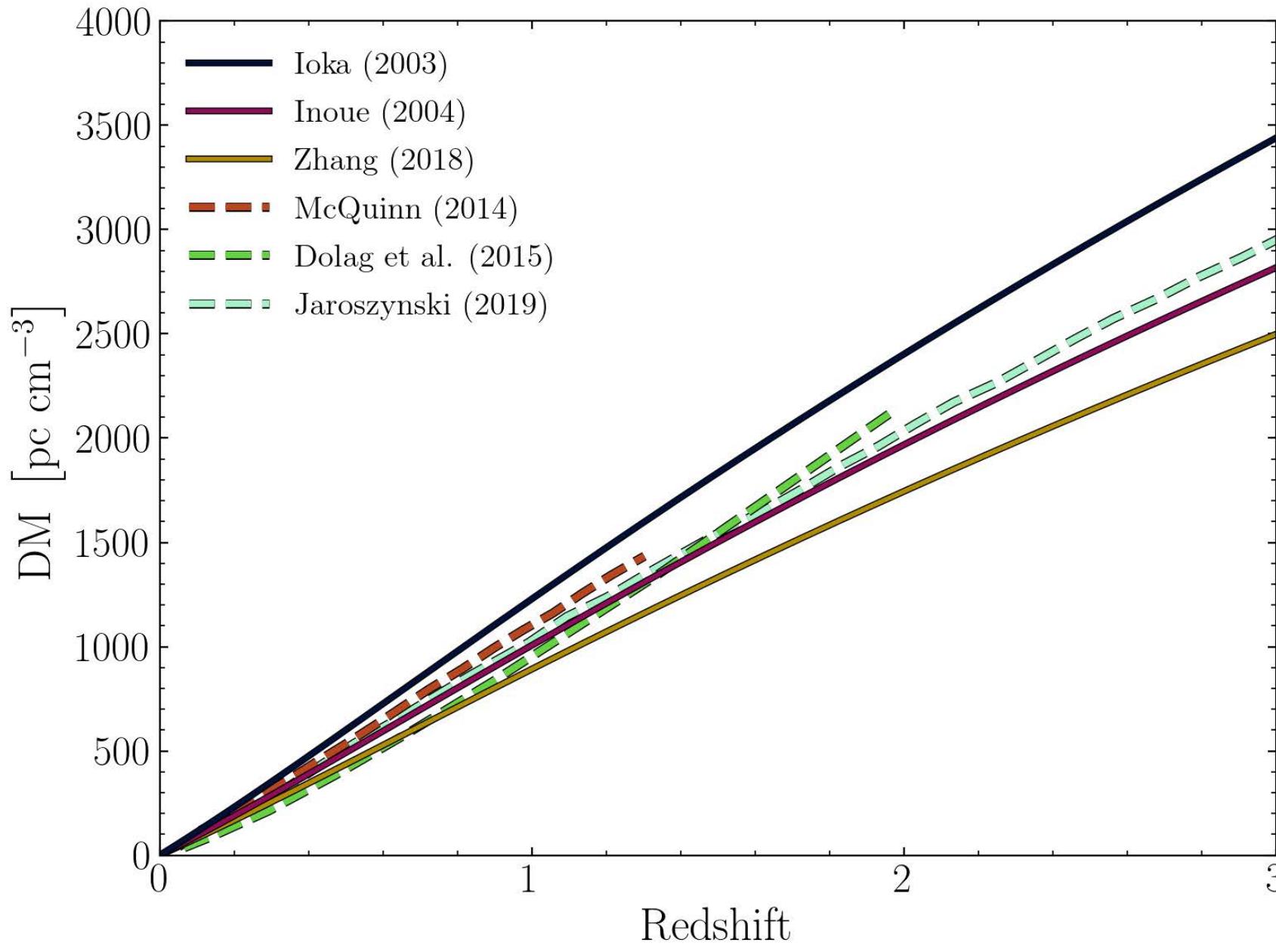
Inoue (2004) [Analytic]

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McQuinn (2014) [Hydro]

Dolag et al. (2015) [Hydro]

DM-z Relations



Ioka (2003) [Analytic]

Inoue (2004) [Analytic]

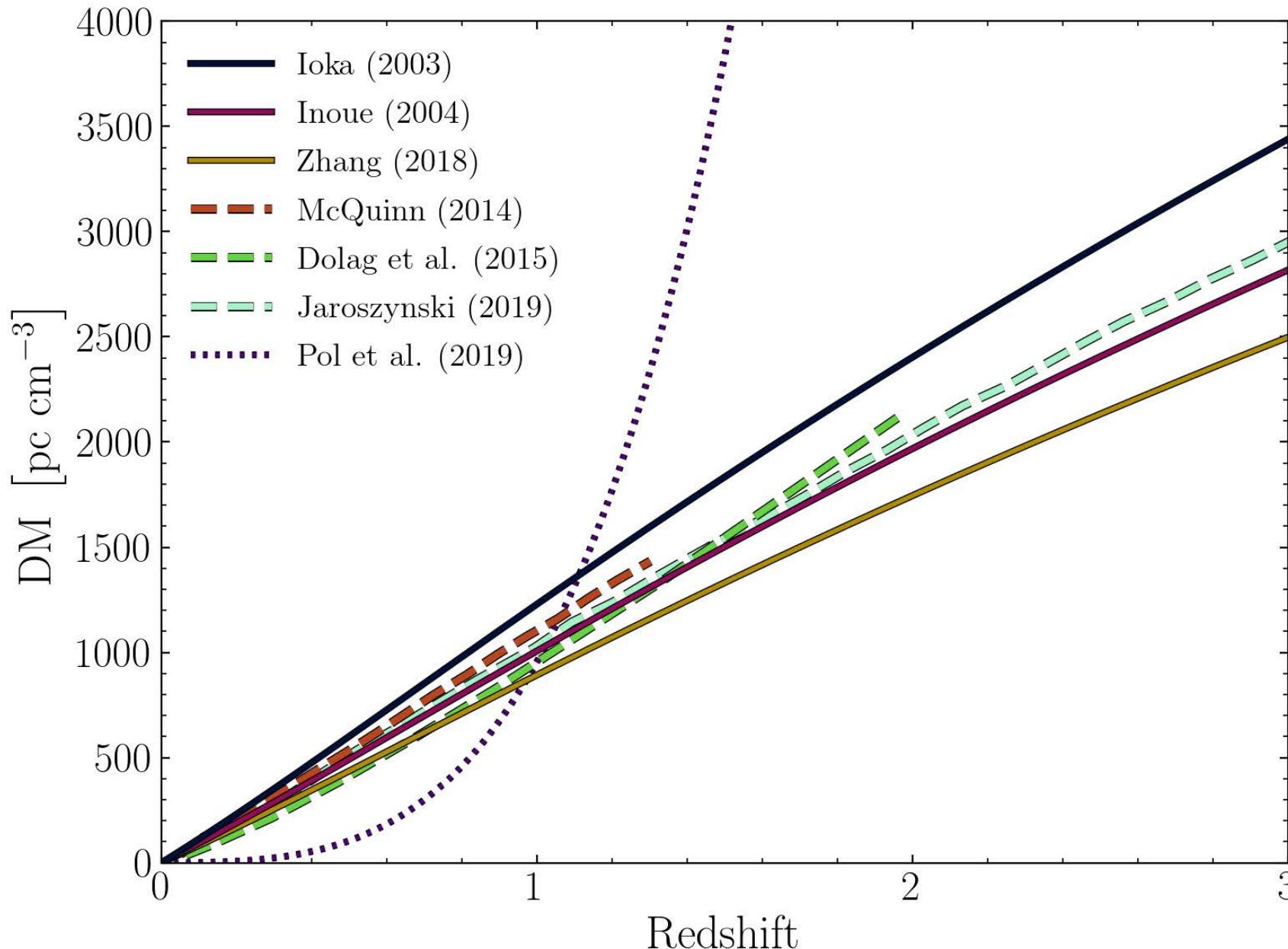
Zhang (2018) [Analytic]

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Dolag et al. (2015) [Hydro]

Jaroszynski (2019) [Hydro]

DM-z Relations



Ioka (2003) [Analytic]

Inoue (2004) [Analytic]

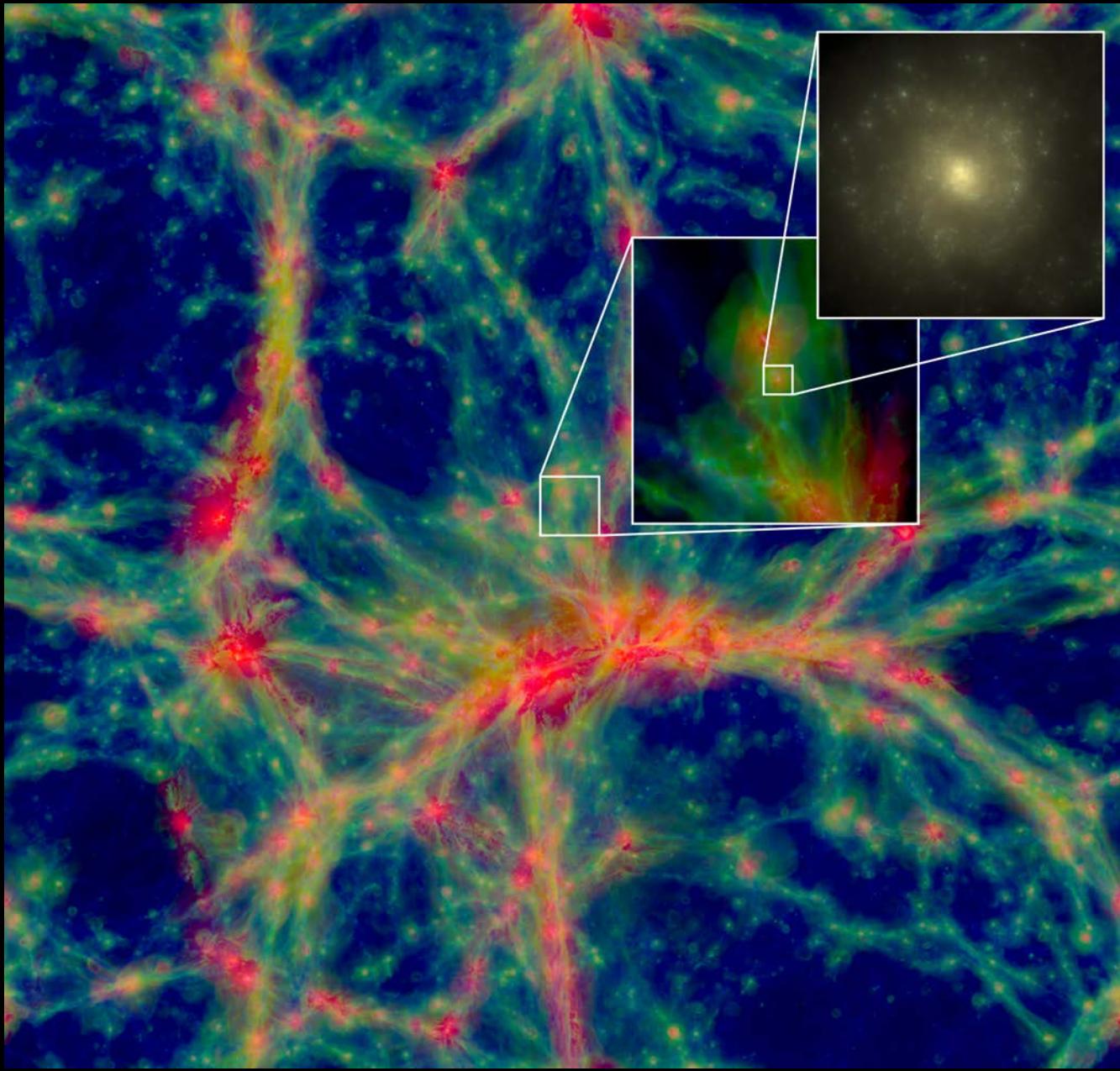
Zhang (2018) [Analytic]

McQuinn (2014) [Hydro]

Dolag et al. (2015) [Hydro]

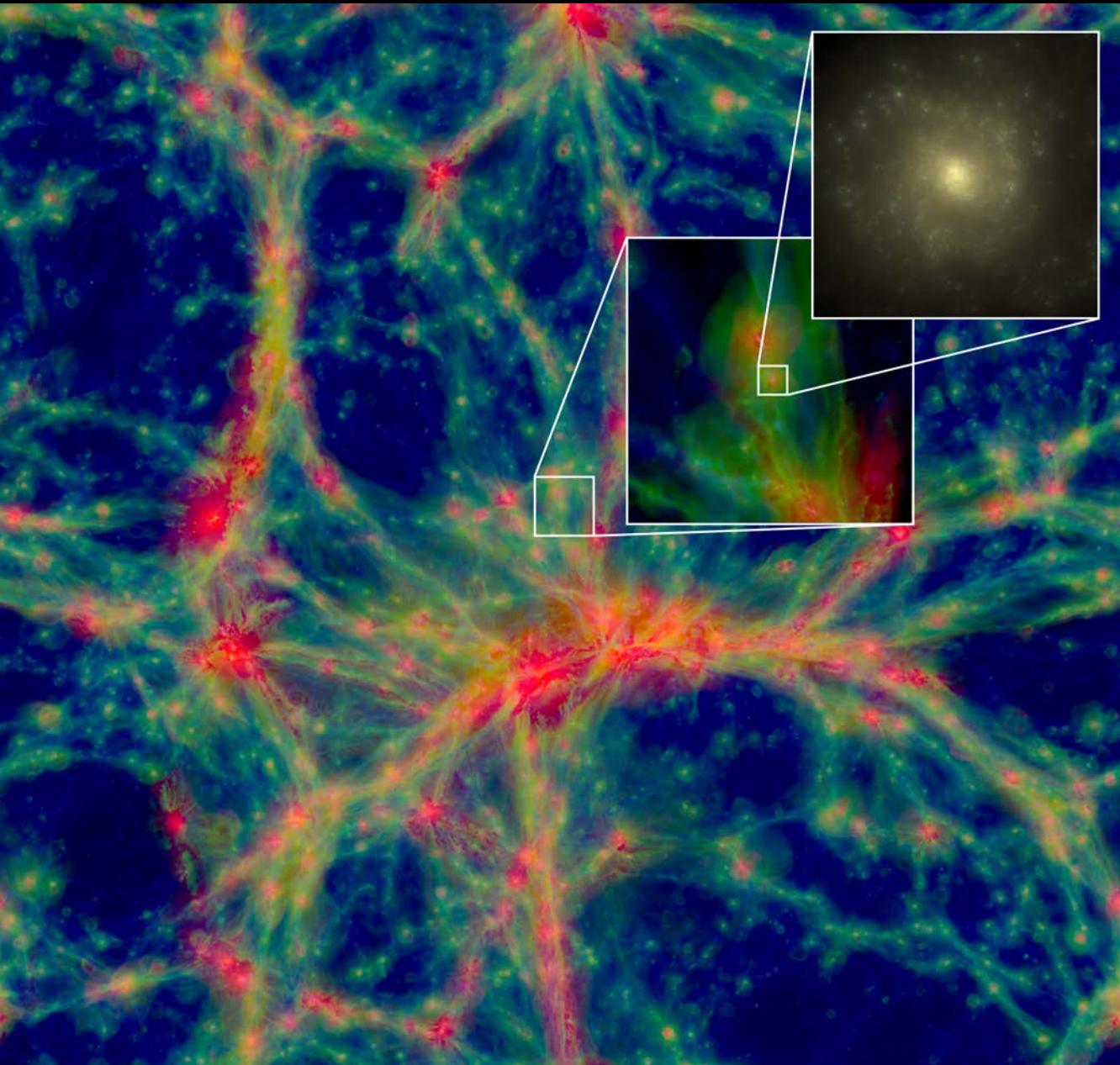
Jaroszynski (2019) [Hydro]

Pol et al. (2019) [Semi-Analytic]



EAGLE Simulations

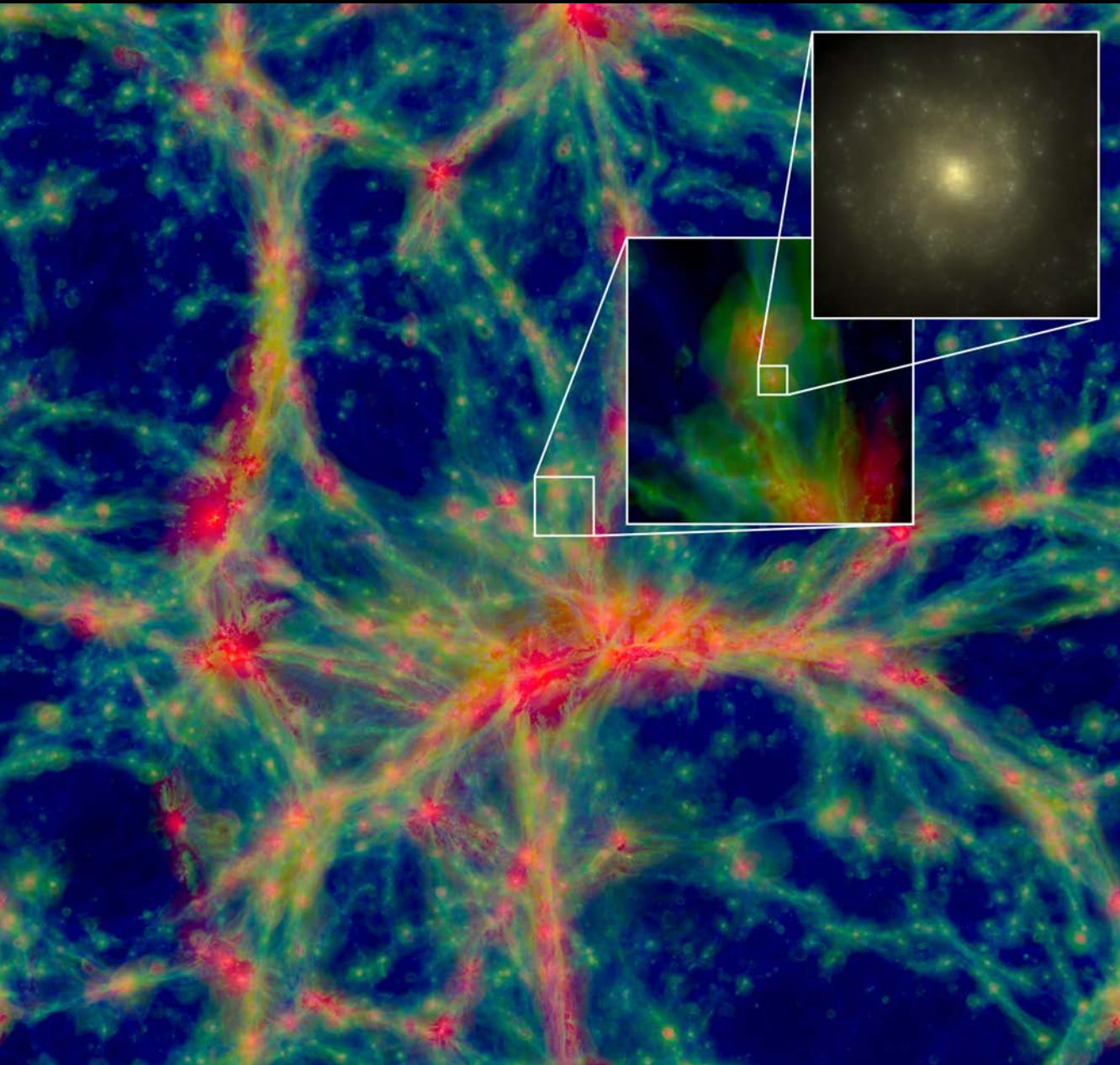
Schaye et al. (2015), Crain et al (2015)



EAGLE Simulations

Schaye et al. (2015), Crain et al (2015)

- Hydrodynamics + Nbody
- Large cosmological volume (100 cMpc)
- Redshift range ($z \sim 127$ to $z = 0$)

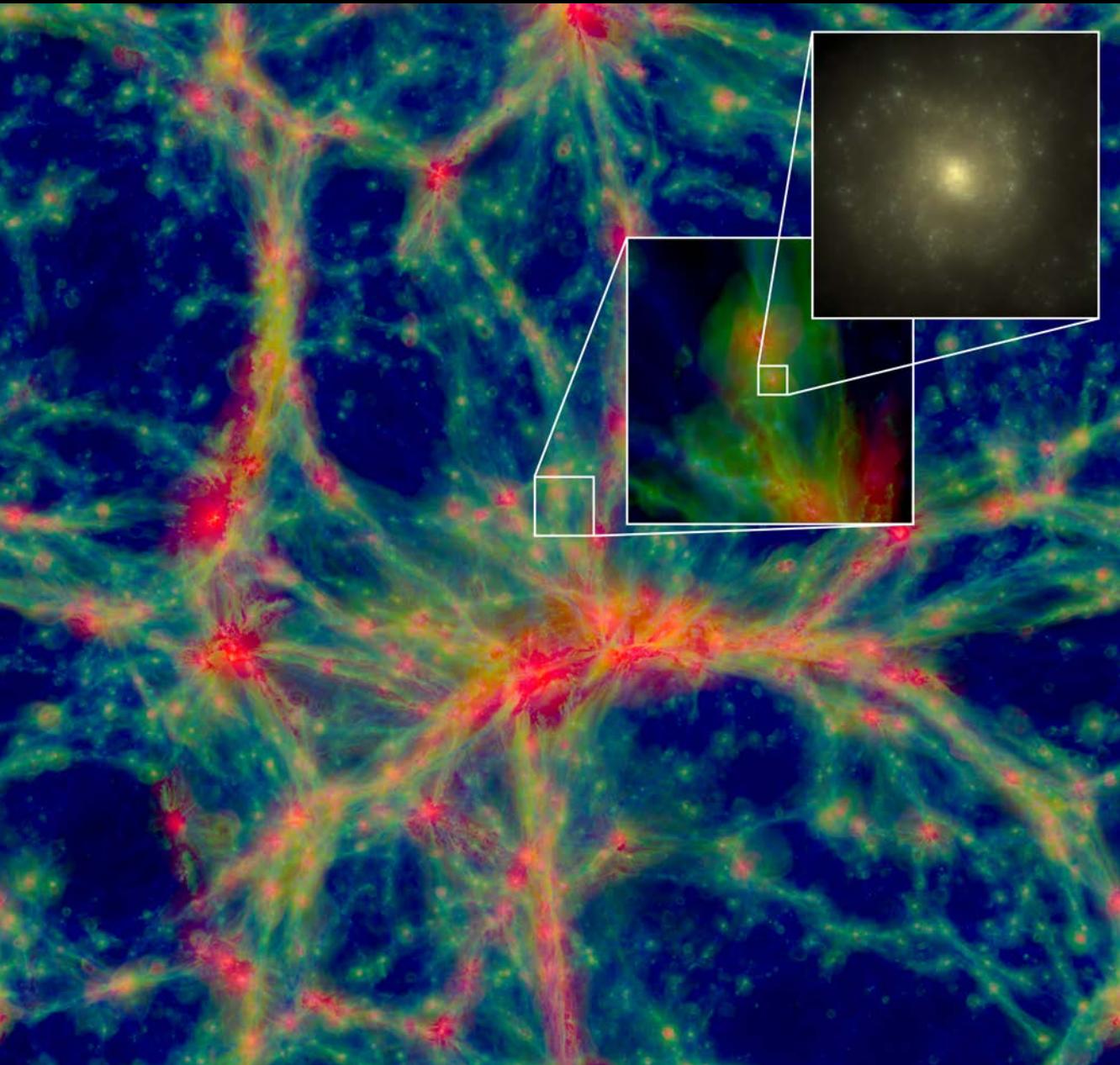


EAGLE Simulations

Schaye et al. (2015), Crain et al (2015)

- Hydrodynamics + Nbody
- Large cosmological volume (100 cMpc)
- Redshift range ($z \sim 127$ to $z = 0$)

- Abundances for 11 different elements.
- HM12 UV Ionising Background
- Galactic Winds: Supernovae, AGN

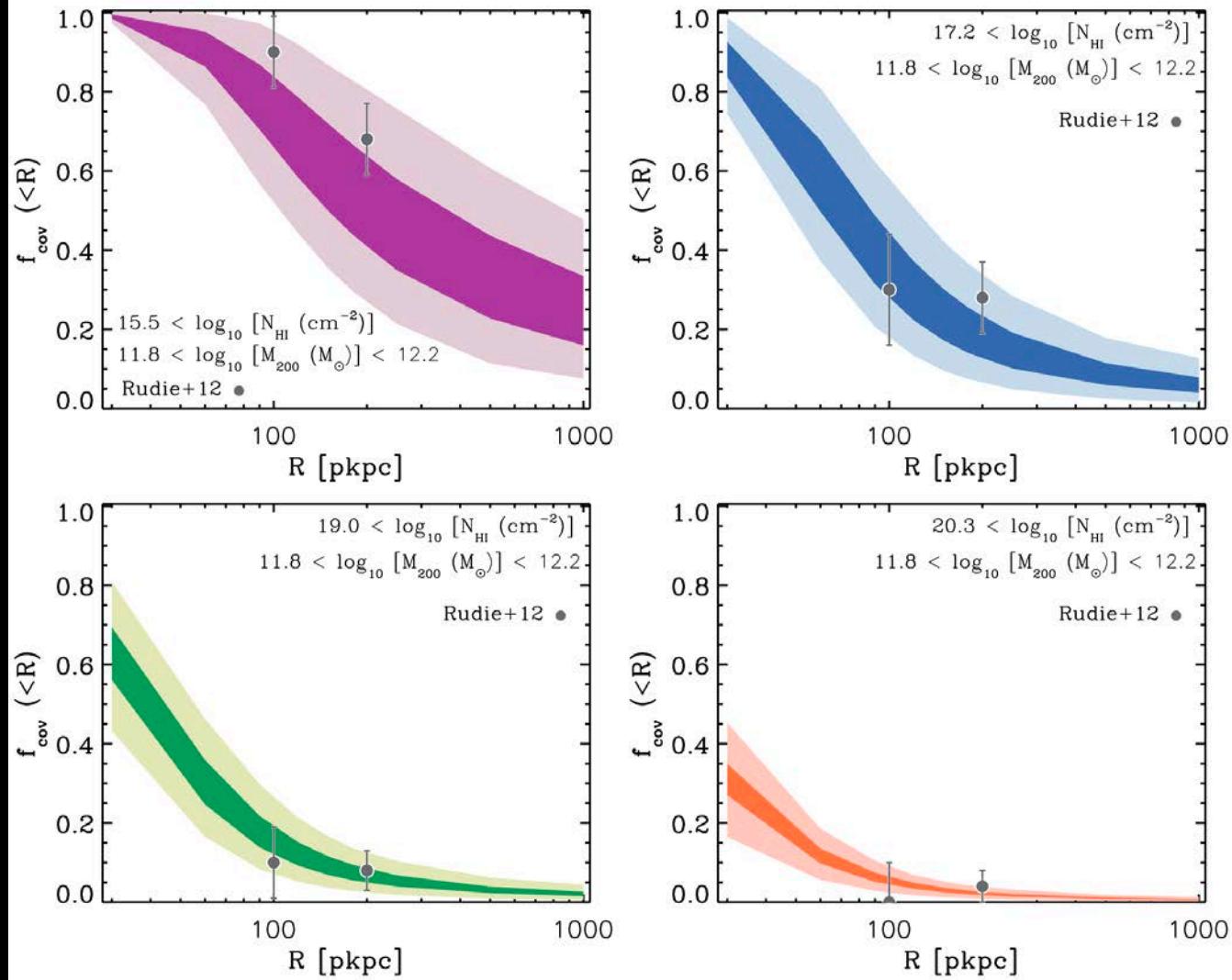


EAGLE Simulations

Schaye et al. (2015), Crain et al (2015)

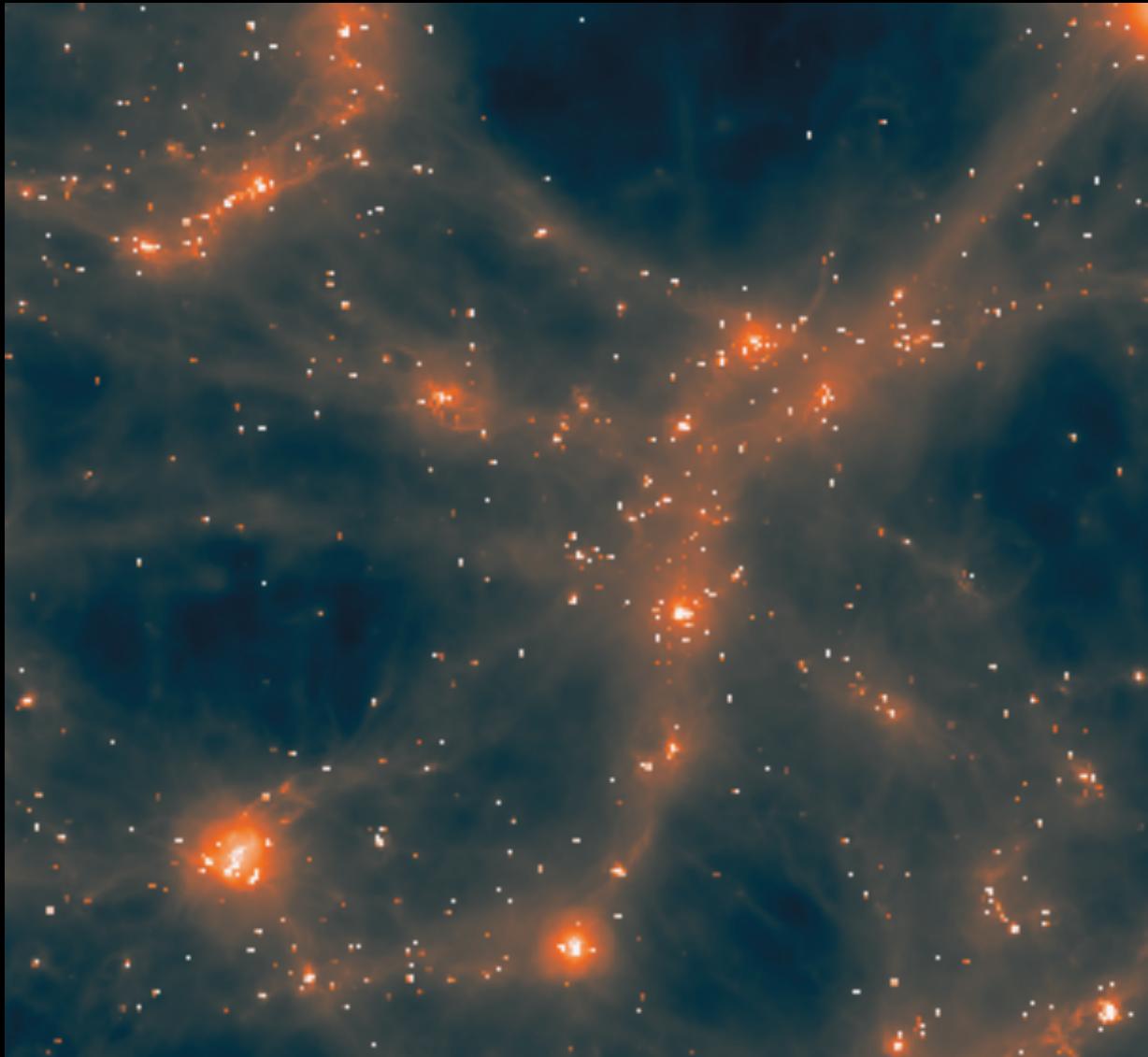
- Hydrodynamics + Nbody
- Large cosmological volume (100 cMpc)
- Redshift range ($z \sim 127$ to $z = 0$)
- Abundances for 11 different elements.
- HM12 UV Ionising Background
- Galactic Winds: Supernovae, AGN
- Resolution: ~ 0.7 ckpc
- Particle Masses: $\sim 10^6 M_\odot$

EAGLE Simulations



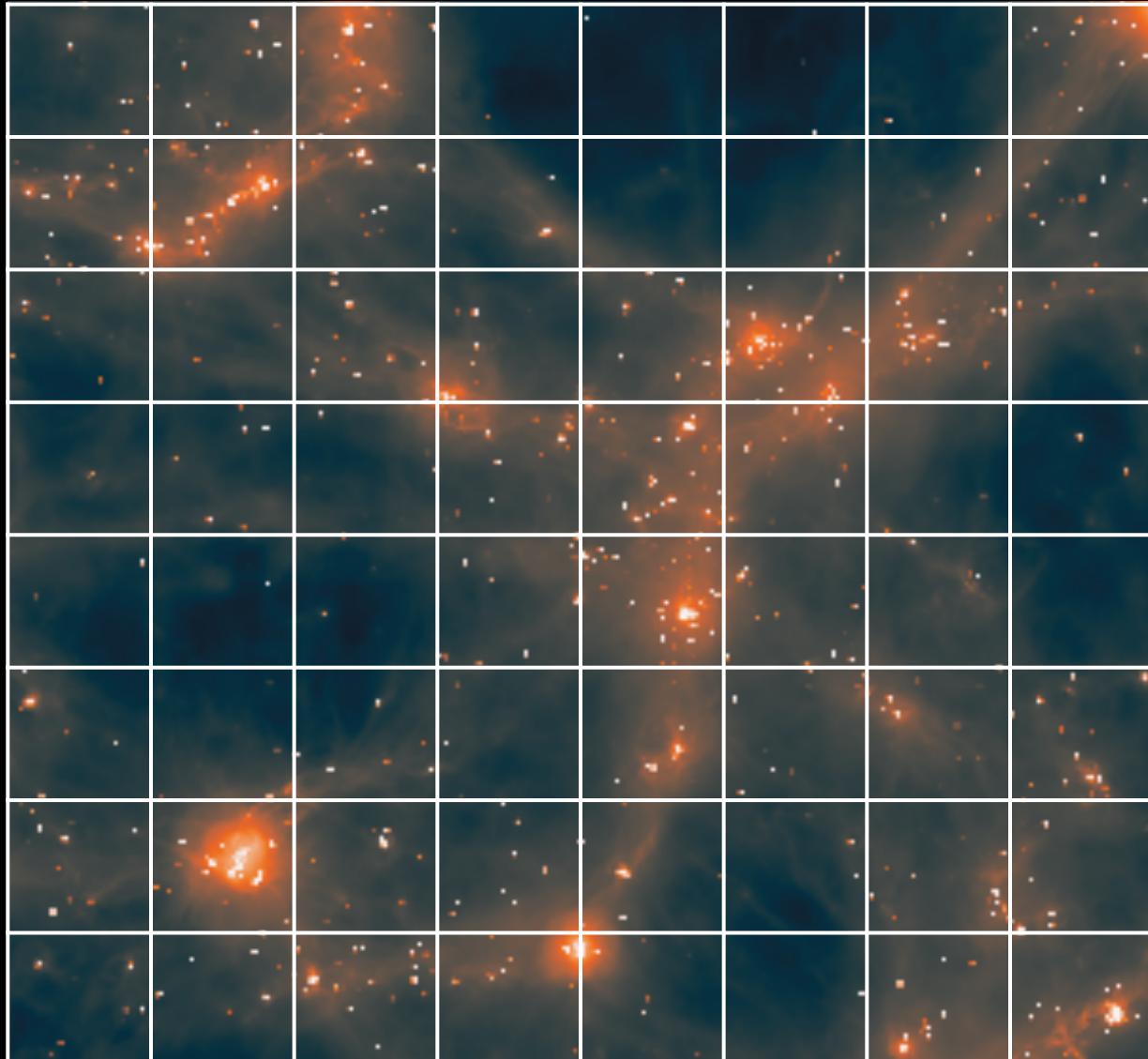
✓ Gets the HI column density distribution correct!

EAGLE Simulations



Batten et al. *in prep*

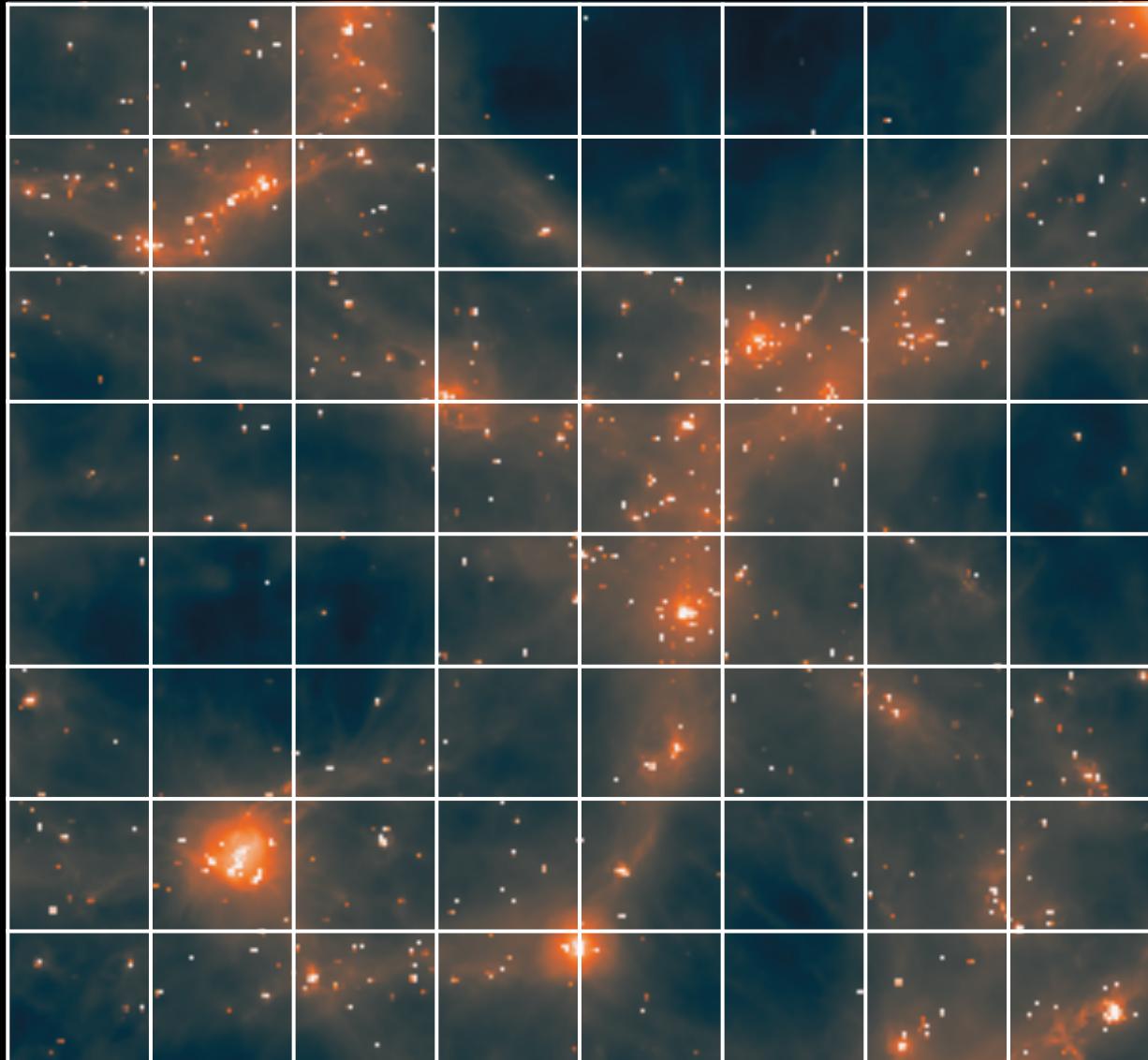
32,000



EAGLE Simulations

- Divide cube into columns

32,000

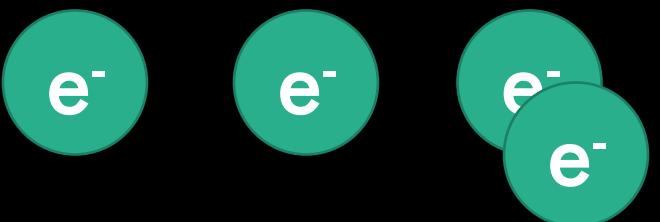


32,000

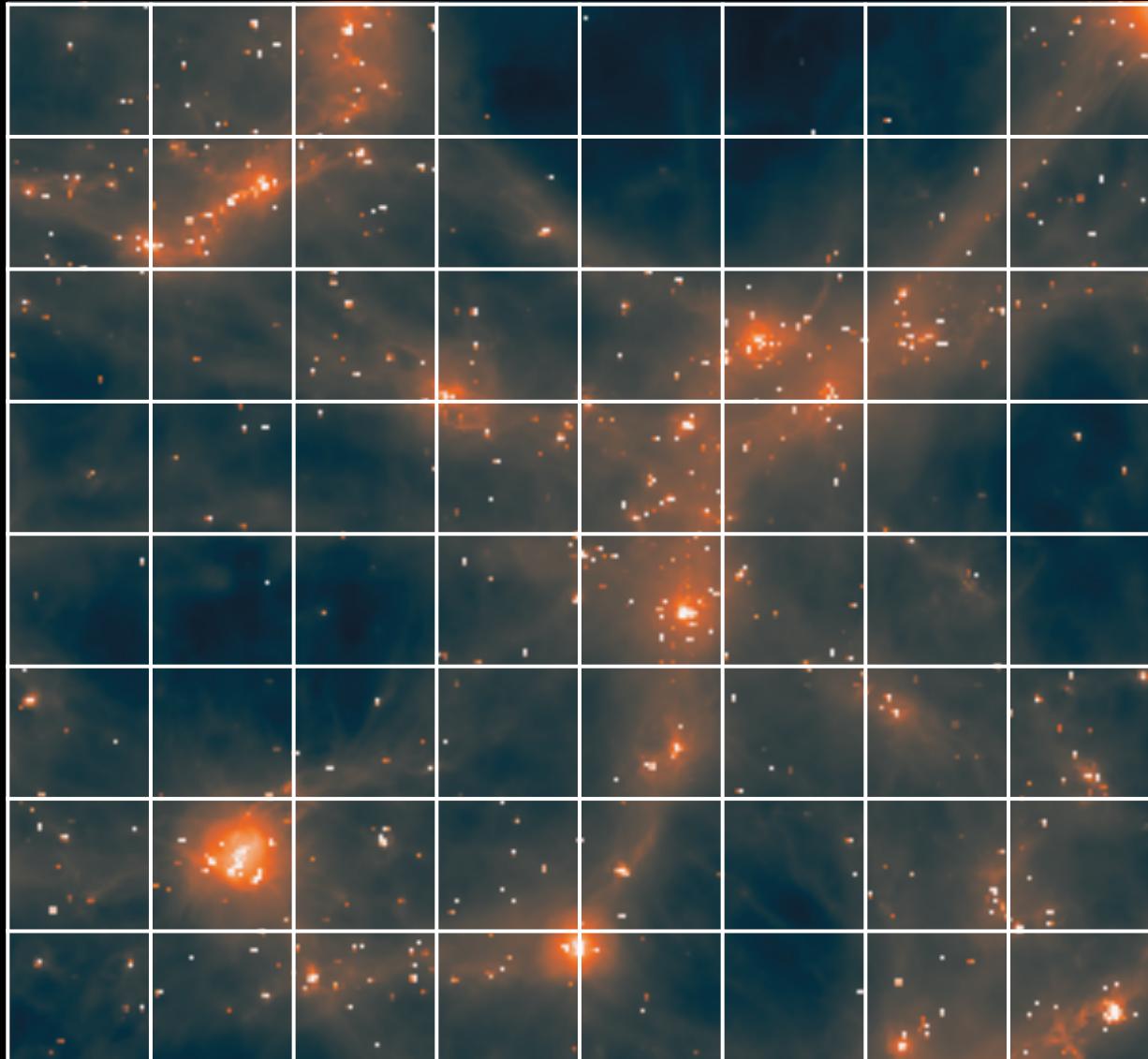
EAGLE Simulations

- Divide cube into columns
- Calculate column densities
 - Rahmati et al. (2013) (SS)
 - Wijers et al. (2019)
 - EOS: $T = 10^4$ K

HII Hell Hell



32,000



32,000

EAGLE Simulations

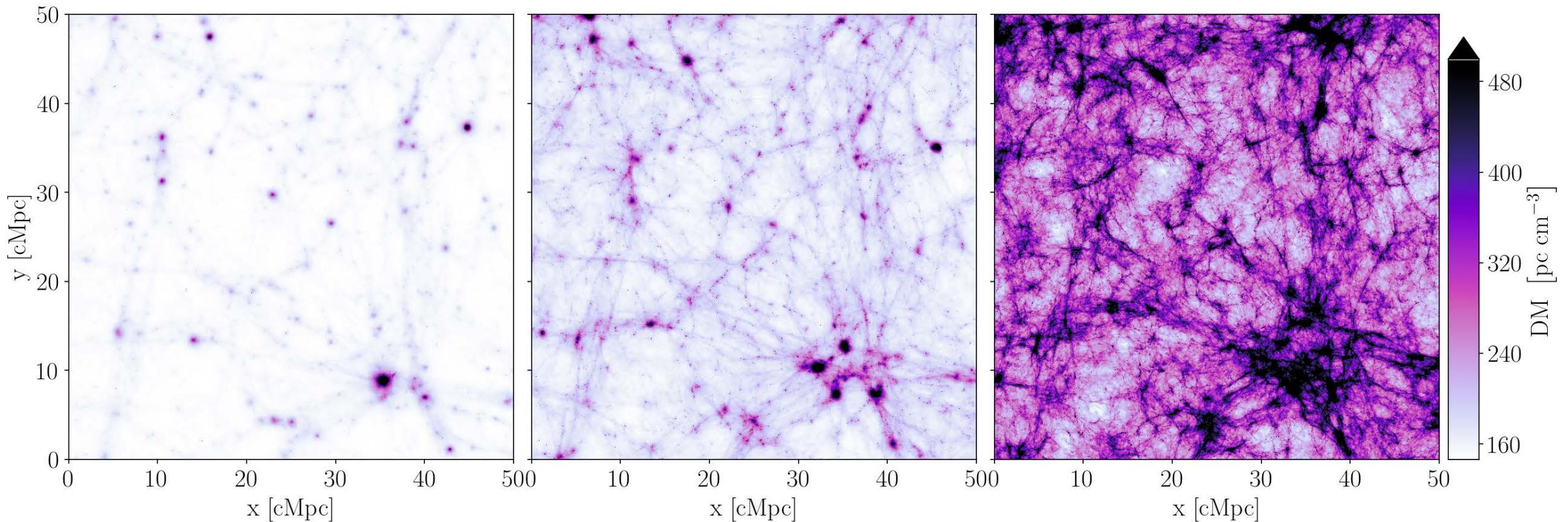
- Divide cube into columns
- Calculate column densities
 - Rahmati et al. (2013) (SS)
 - Wijers et al. (2019)
 - EOS: $T = 10^4 \text{ K}$
- Convert column densities to units of pc cm^{-3}

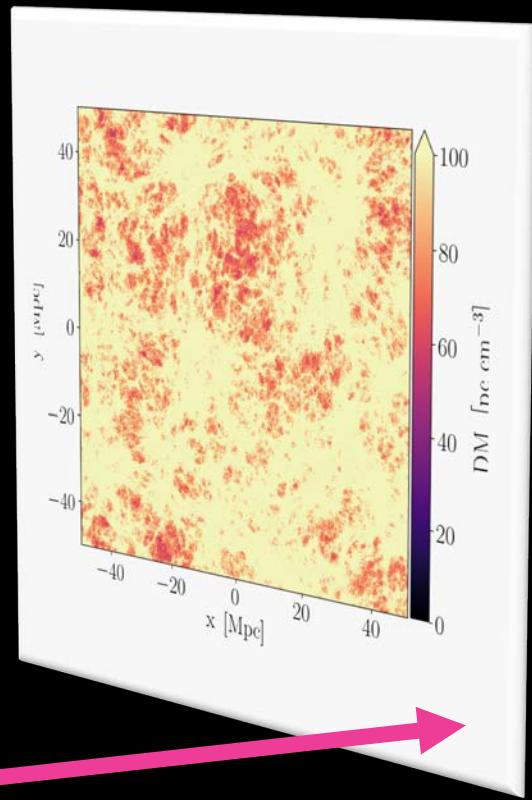
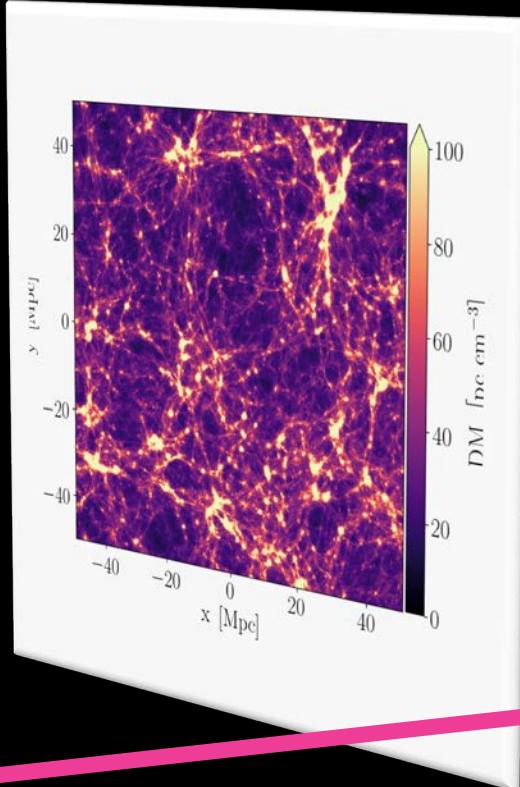
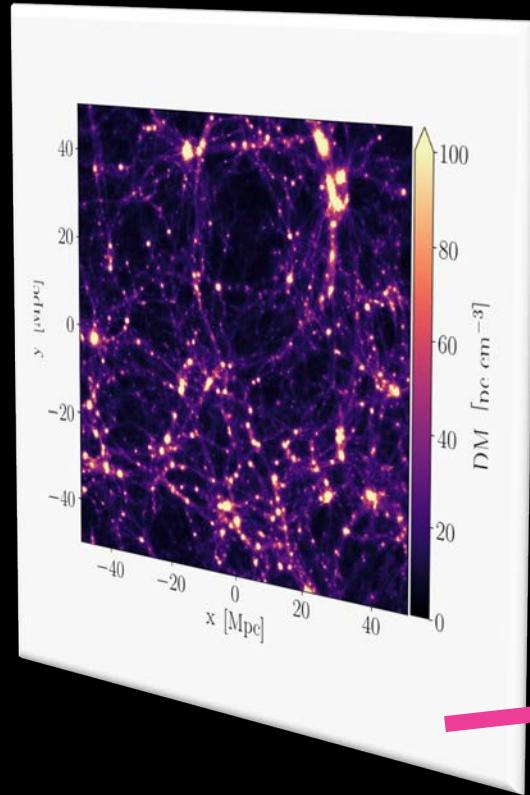
HII

Hell

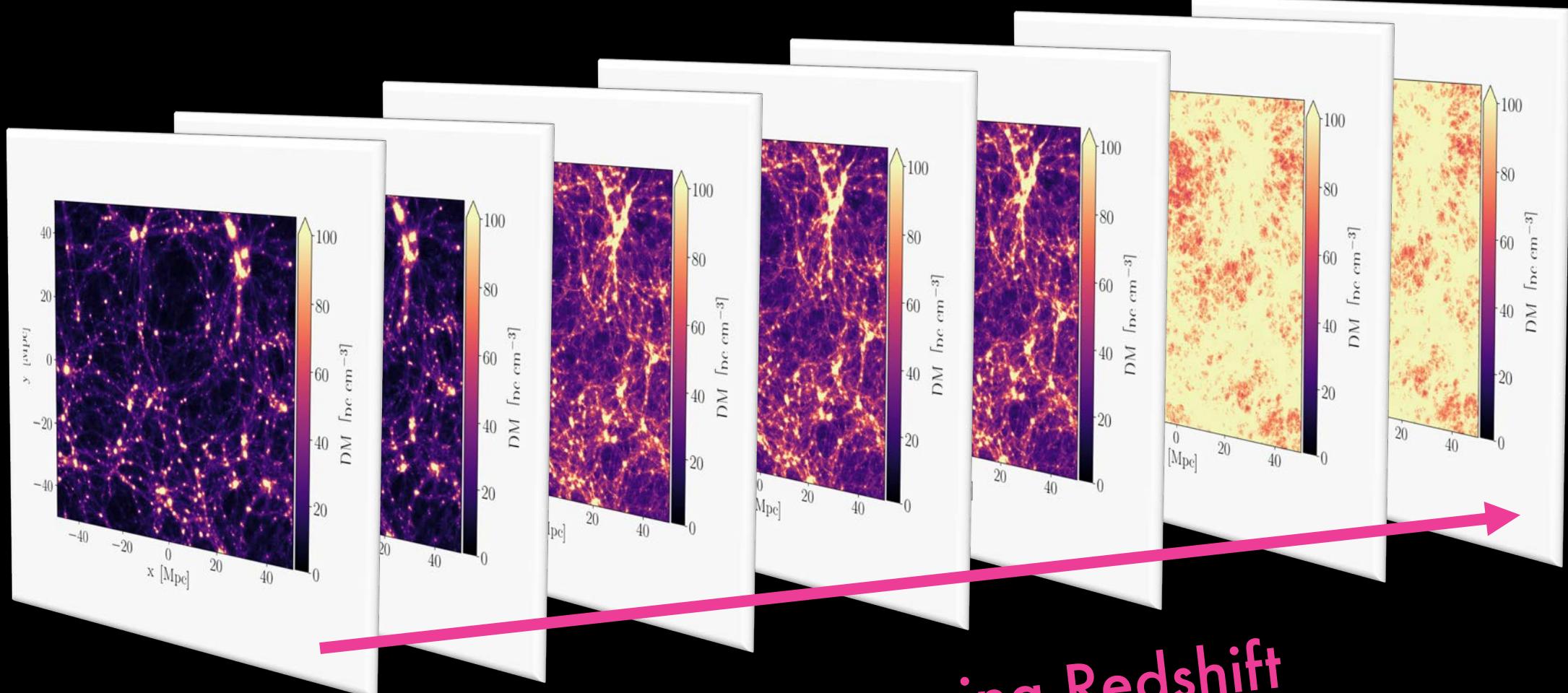
Heli



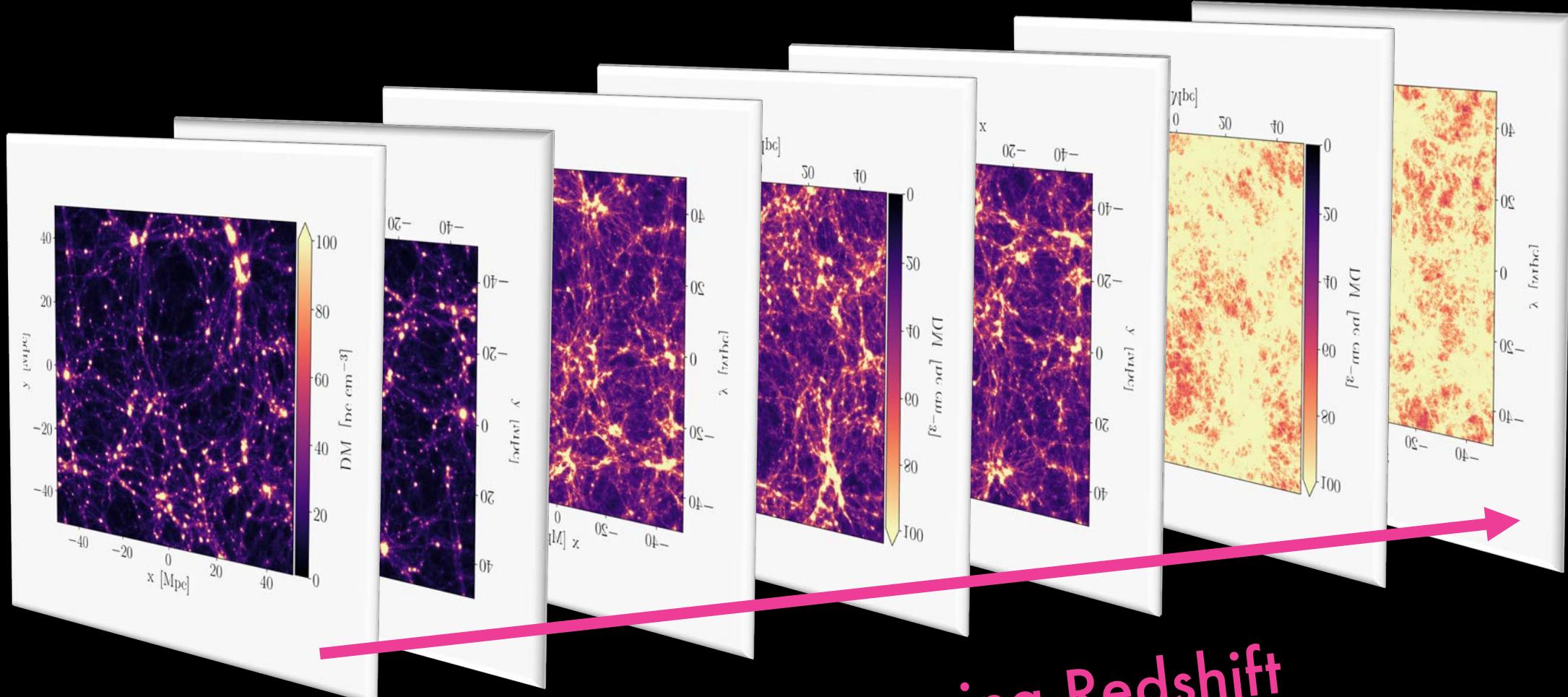




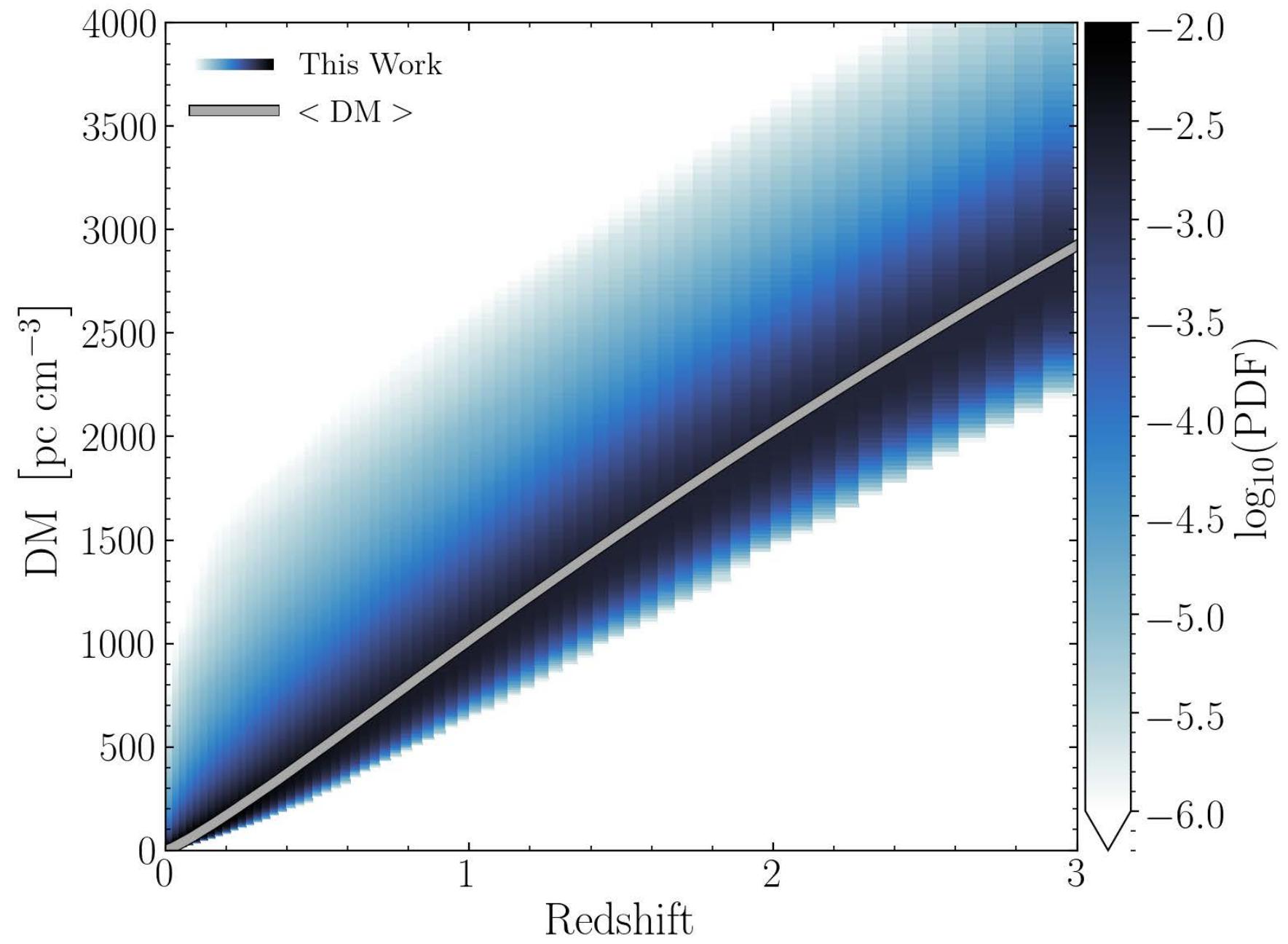
Increasing Redshift

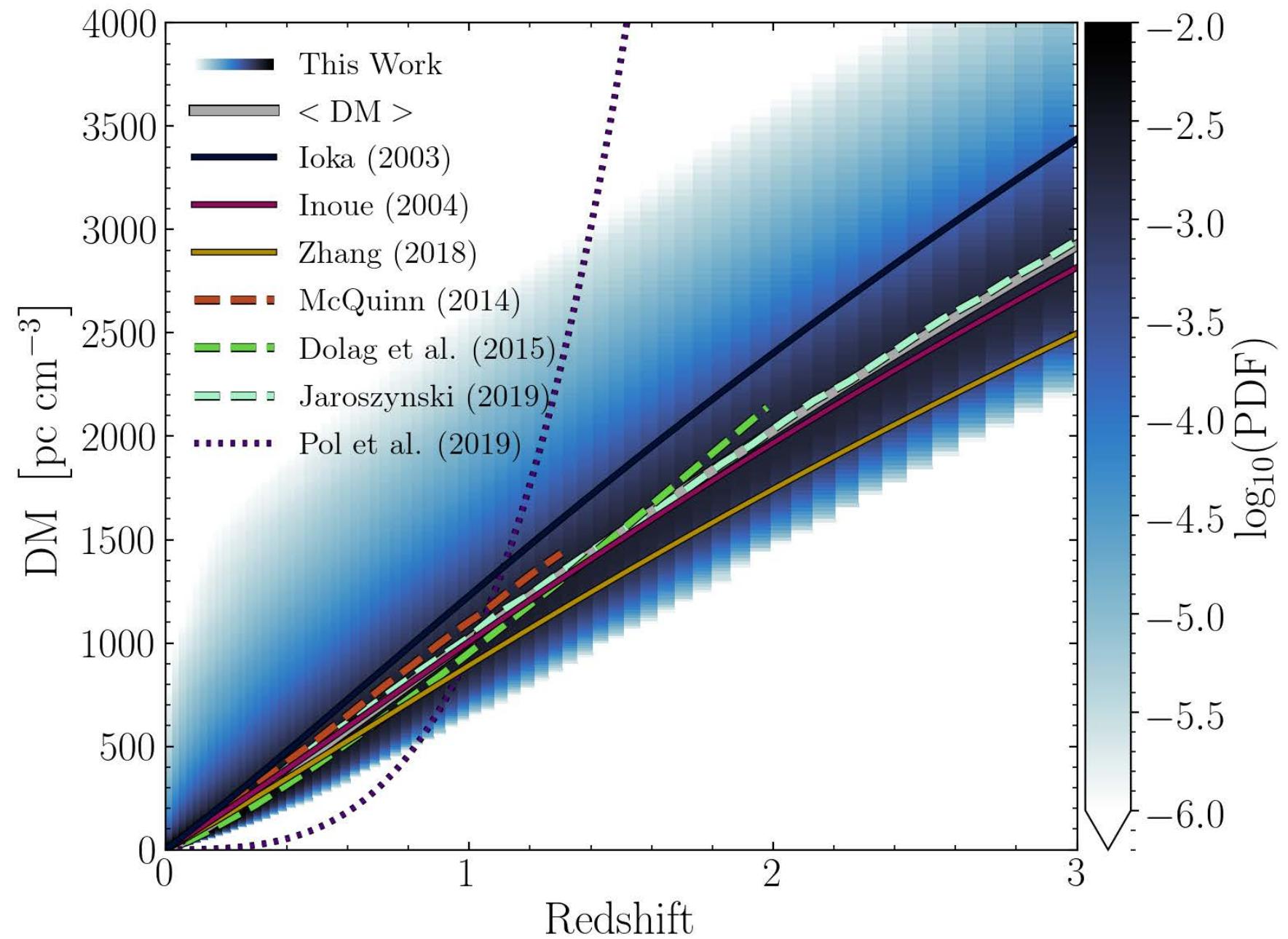


Increasing Redshift

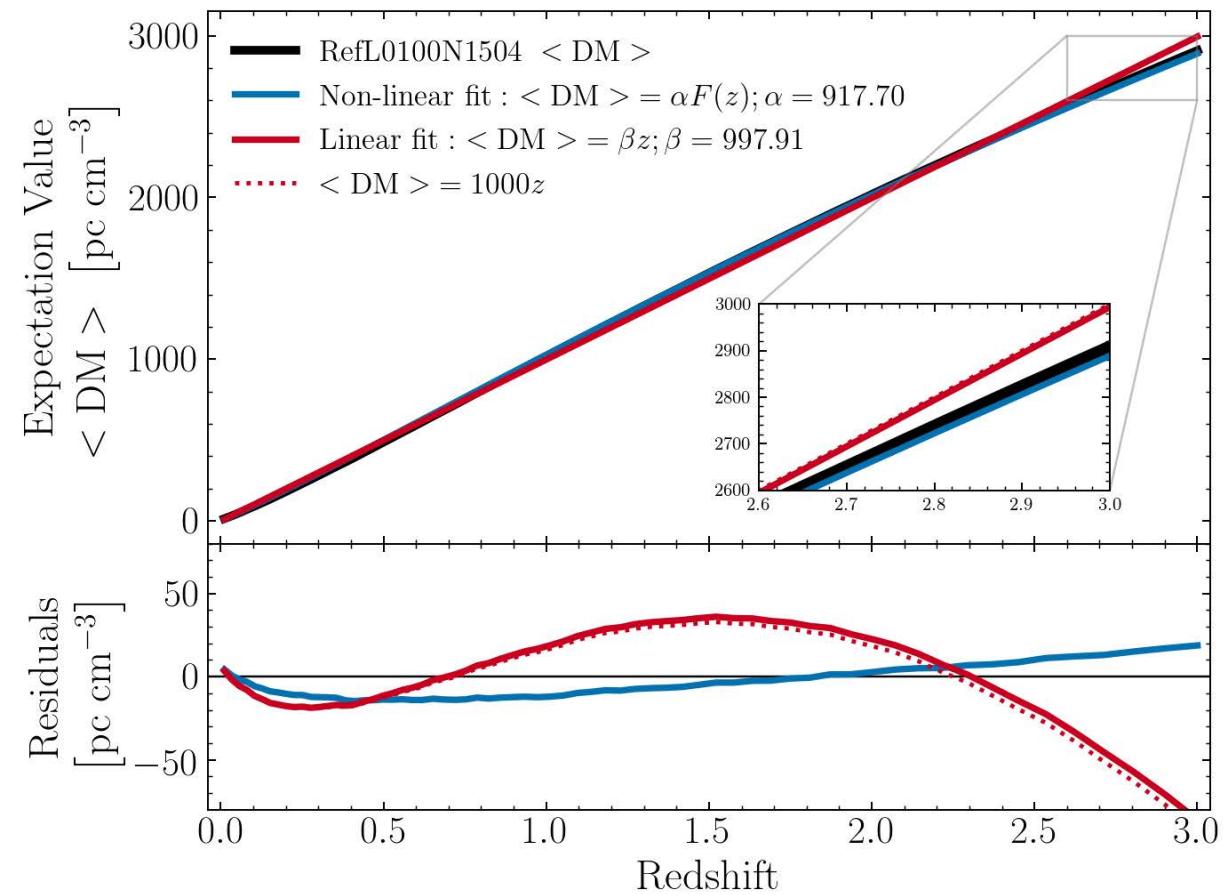


Increasing Redshift



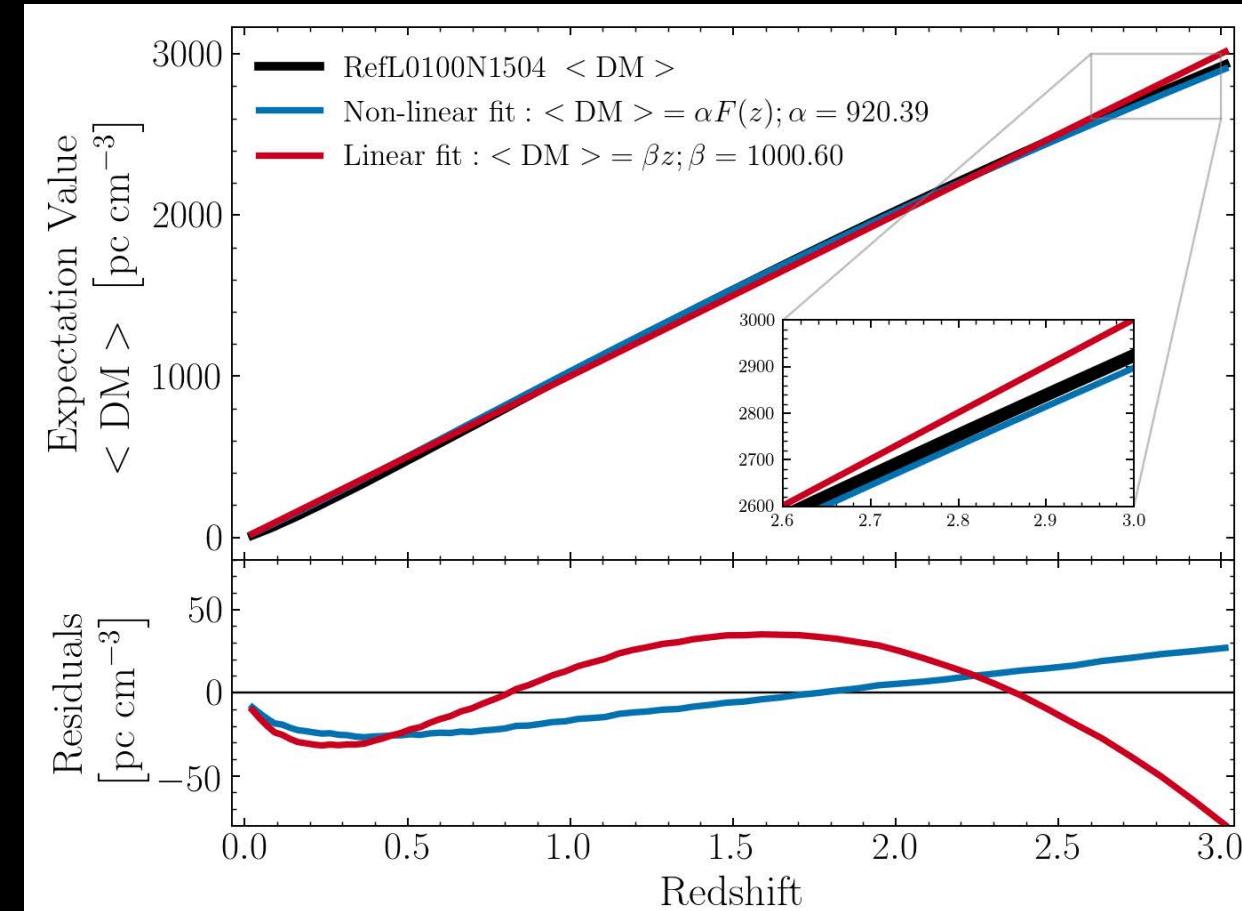


Log-Normal Mean



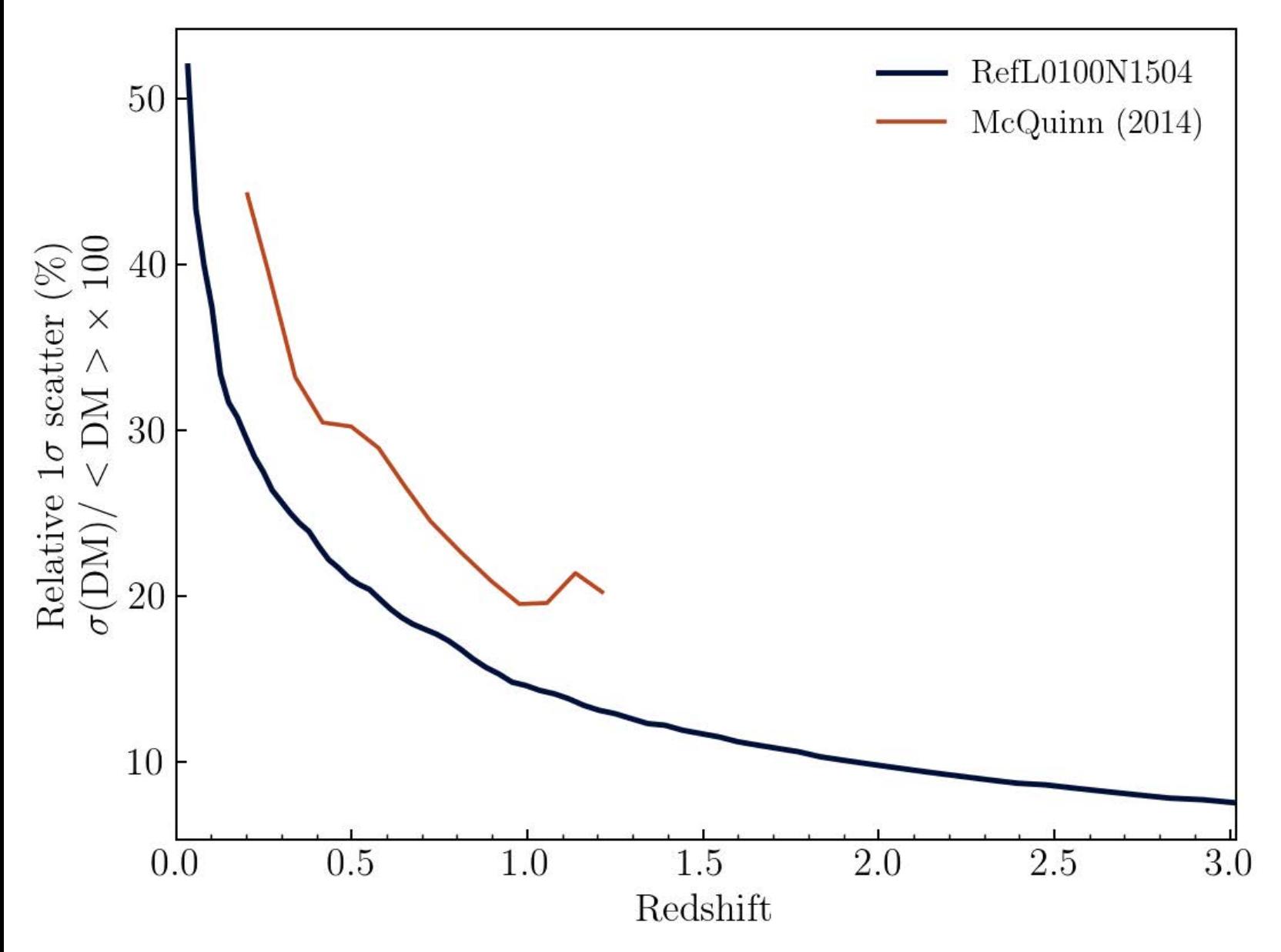
$$\langle \text{DM} \rangle \approx 998 \text{ pc cm}^{-3} z$$

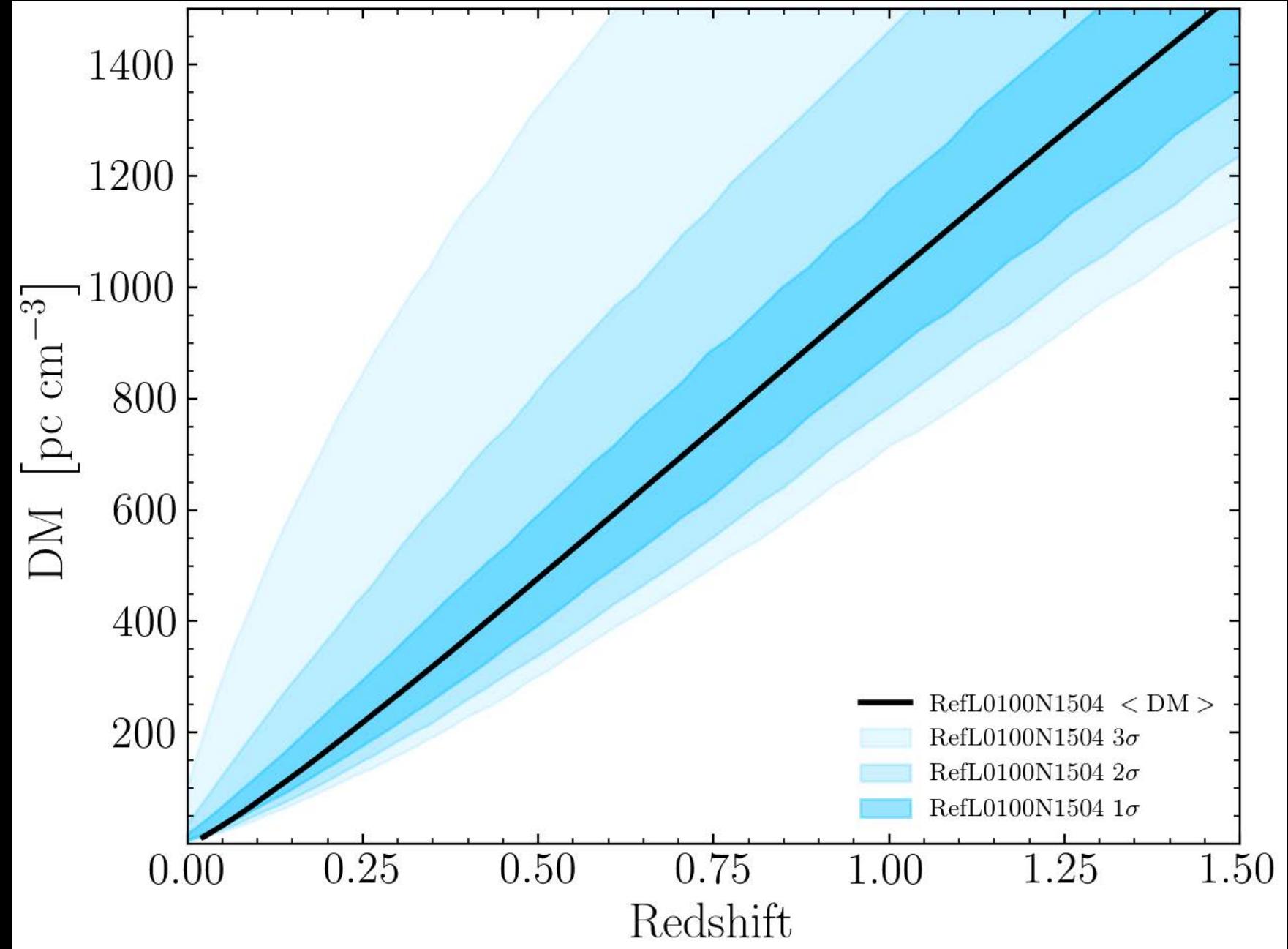
Weighted Mean

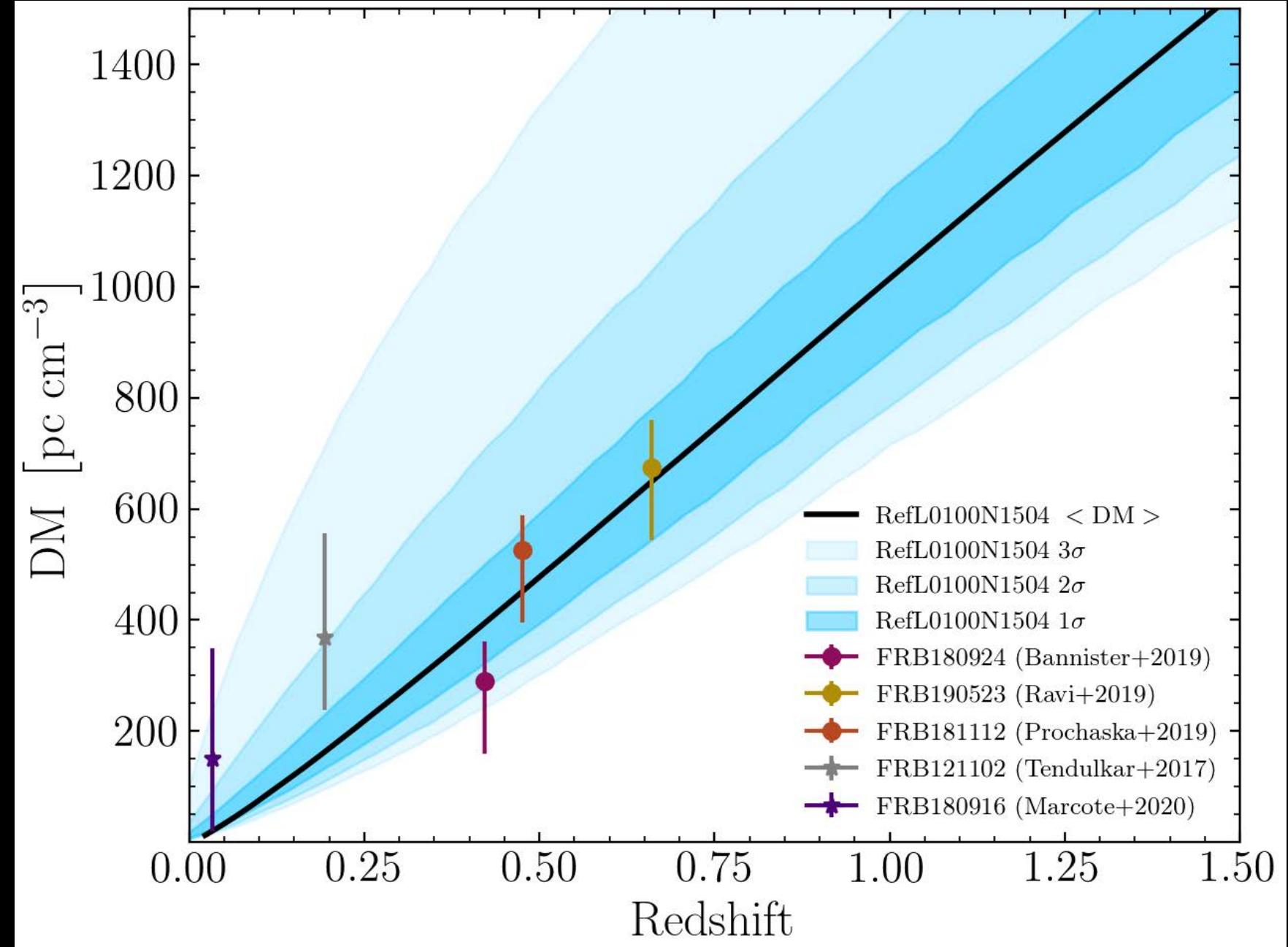


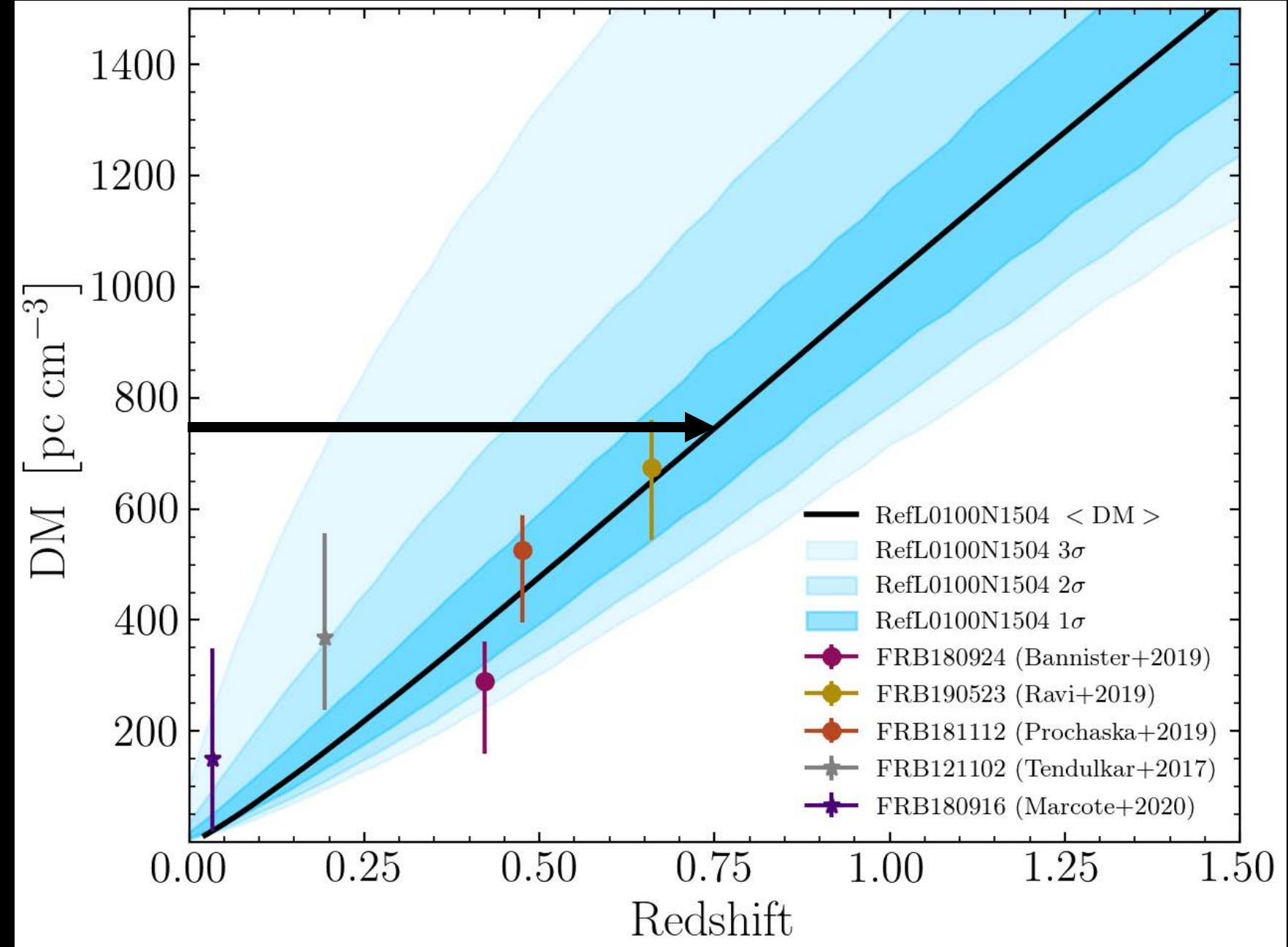
$$\langle \text{DM} \rangle \approx 1000 \text{ pc cm}^{-3} z$$

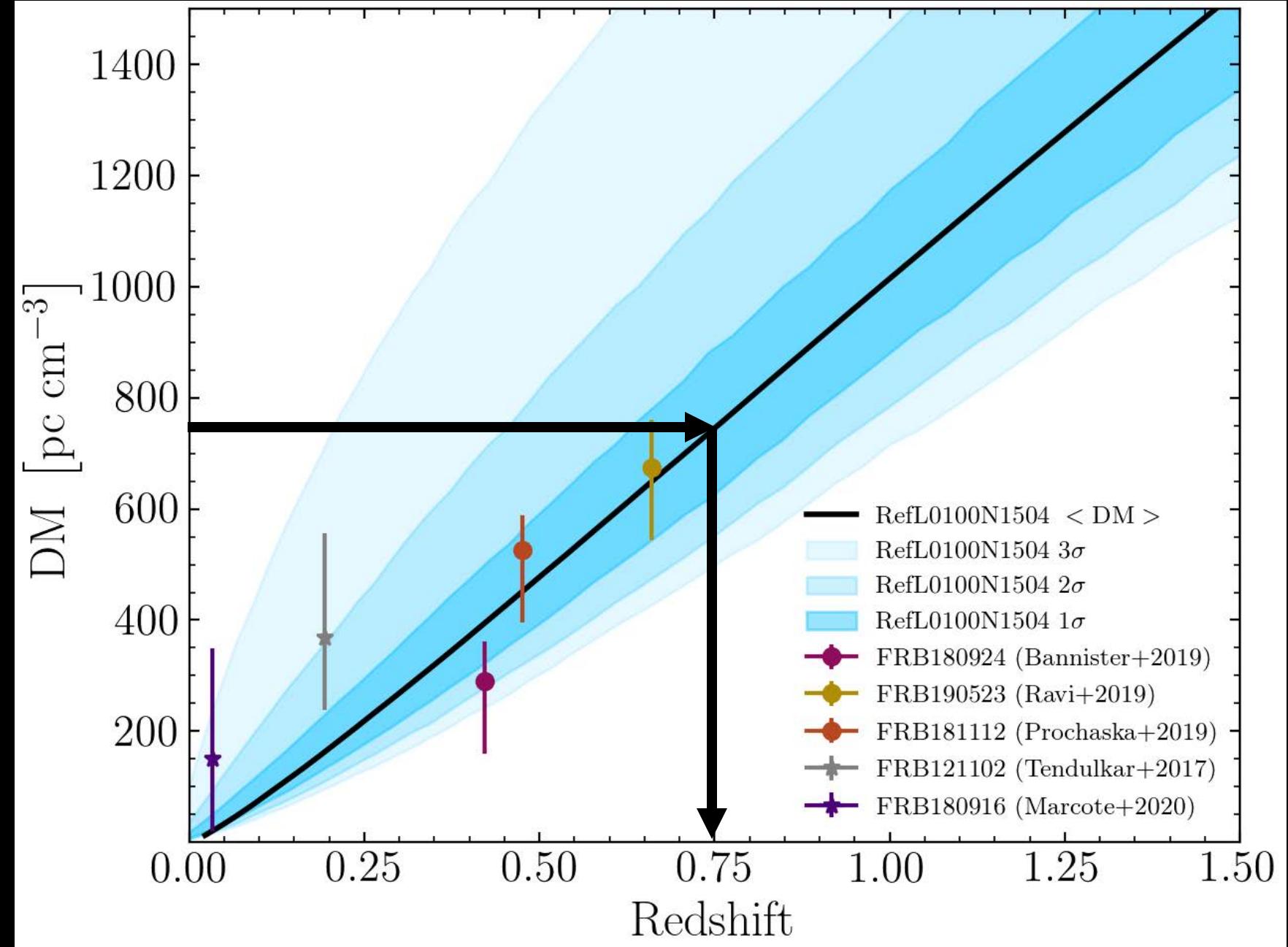
Much lower scatter
than McQuinn
(2014).

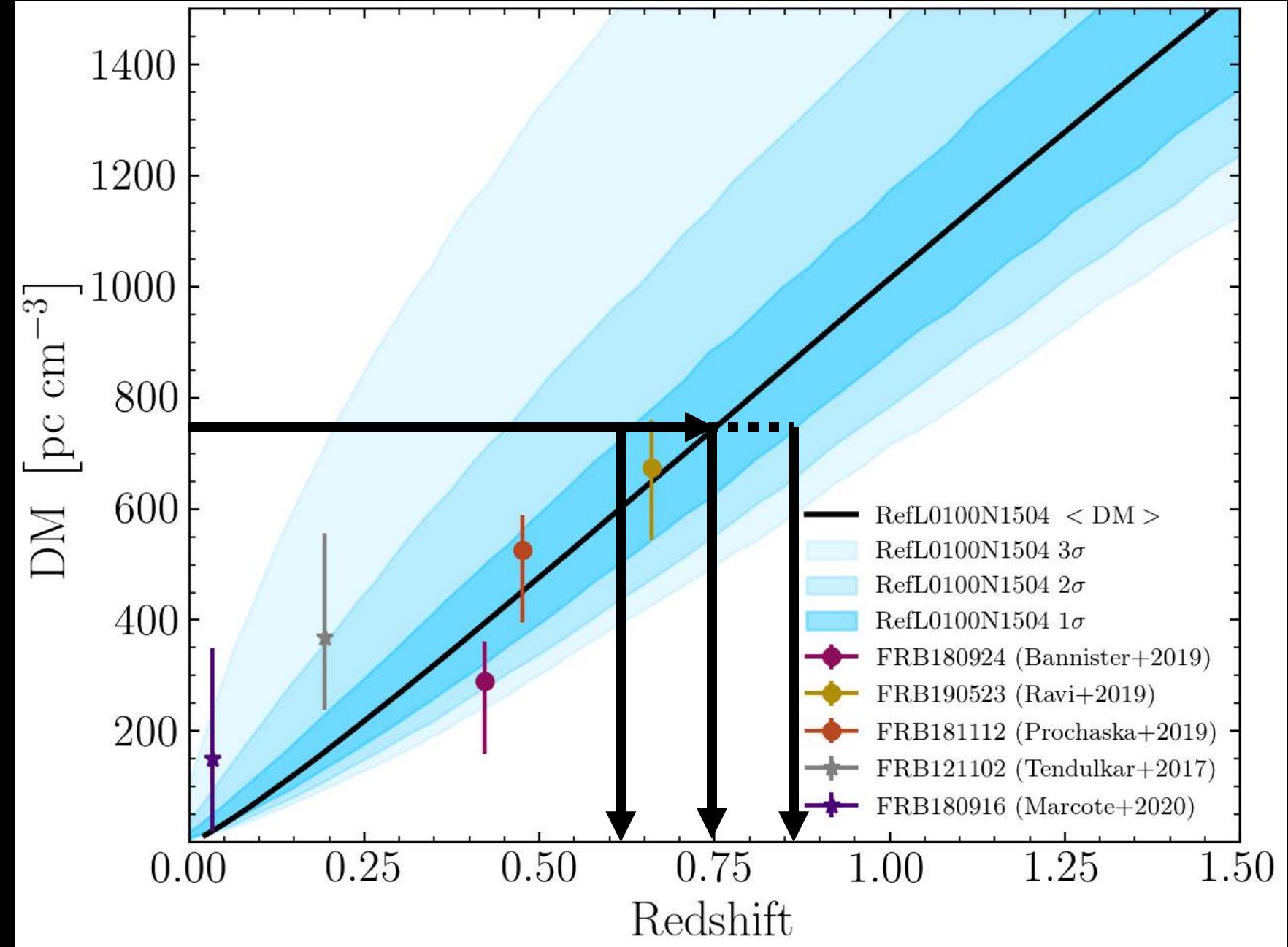














FRUITBAT

Batten (2019)

JOSS Paper: [10.21105/joss.01399](https://doi.org/10.21105/joss.01399)

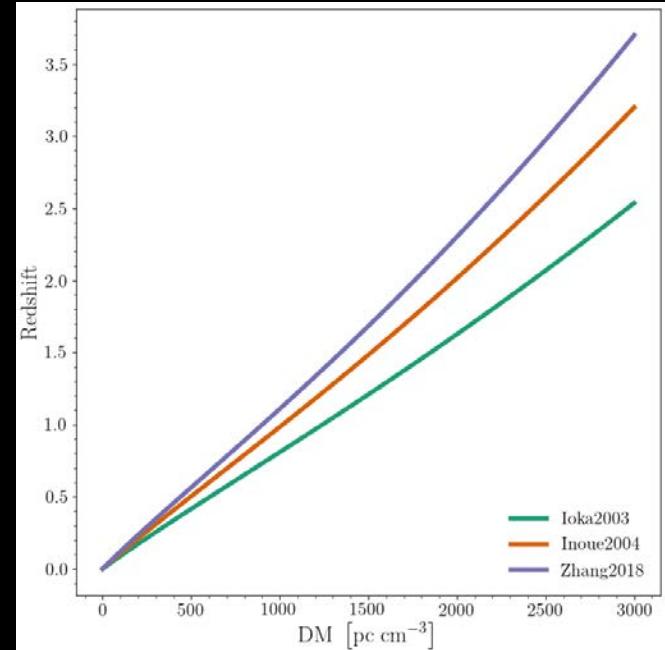
Source Code: <https://github.com/abatten/fruitbat>



DM-z lookup tables:

- Ioka (2003)
- Inoue (2004)
- Zhang (2018)
- Batten et al. *in prep*

- Milky Way Galaxy Subtraction
- Average Luminosities
- Burst Energy
- WMAP & Planck Cosmologies



EAGLE
RefL0100N1504

Post Process Snapshots
> Self Shielding (Rahmati et al. 2013)
> EOS: $T = 10^4$
> Column Densities (Wijers et al. 2019)
> More than 1 billion lines-of-sights

FRB
Signal
DM

Host Galaxy
Localisation



(Batten 2019)

Convert
Column
Density to DM

Cumulative
Stack Maps

DM – Redshift
Relation

Batten et al. *in prep*

Generate
Interpolated Maps

Rotate / Mirror
/ Translate

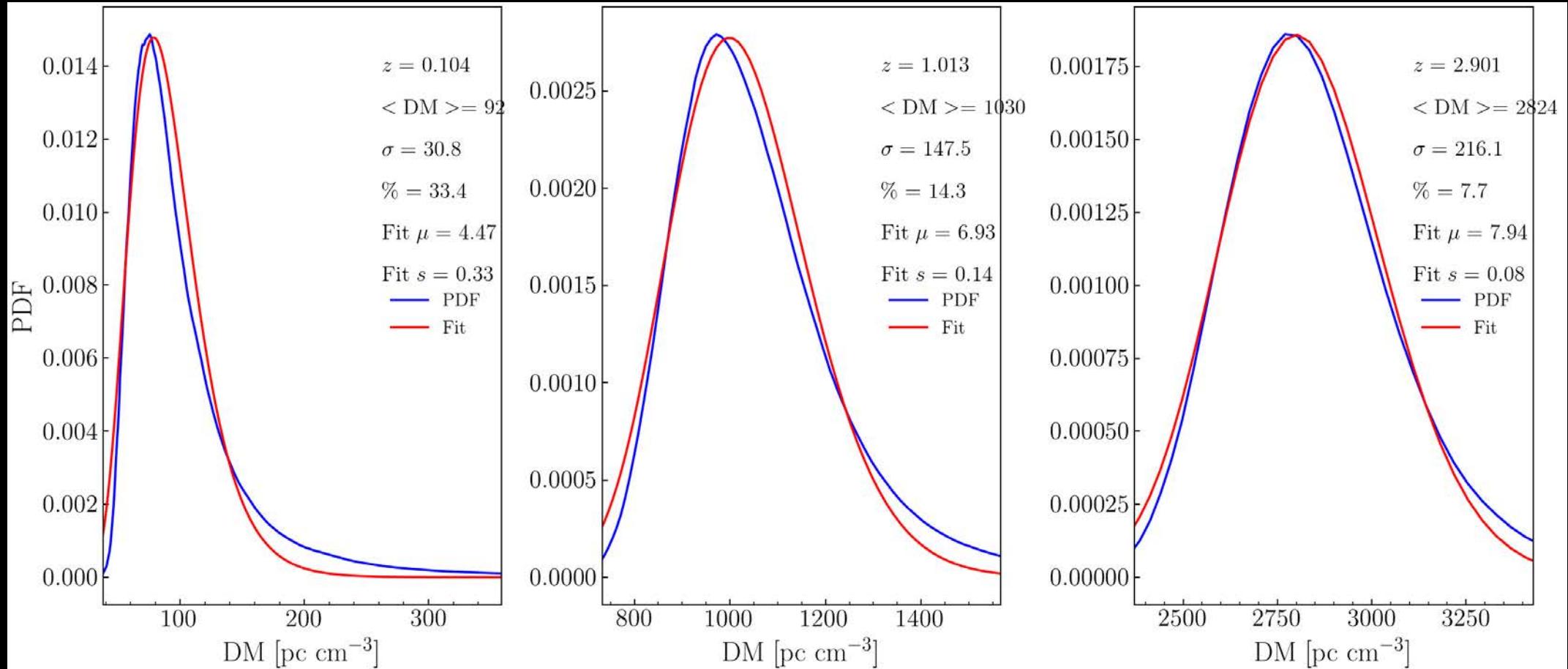
FRB
Redshift
(Estimate)

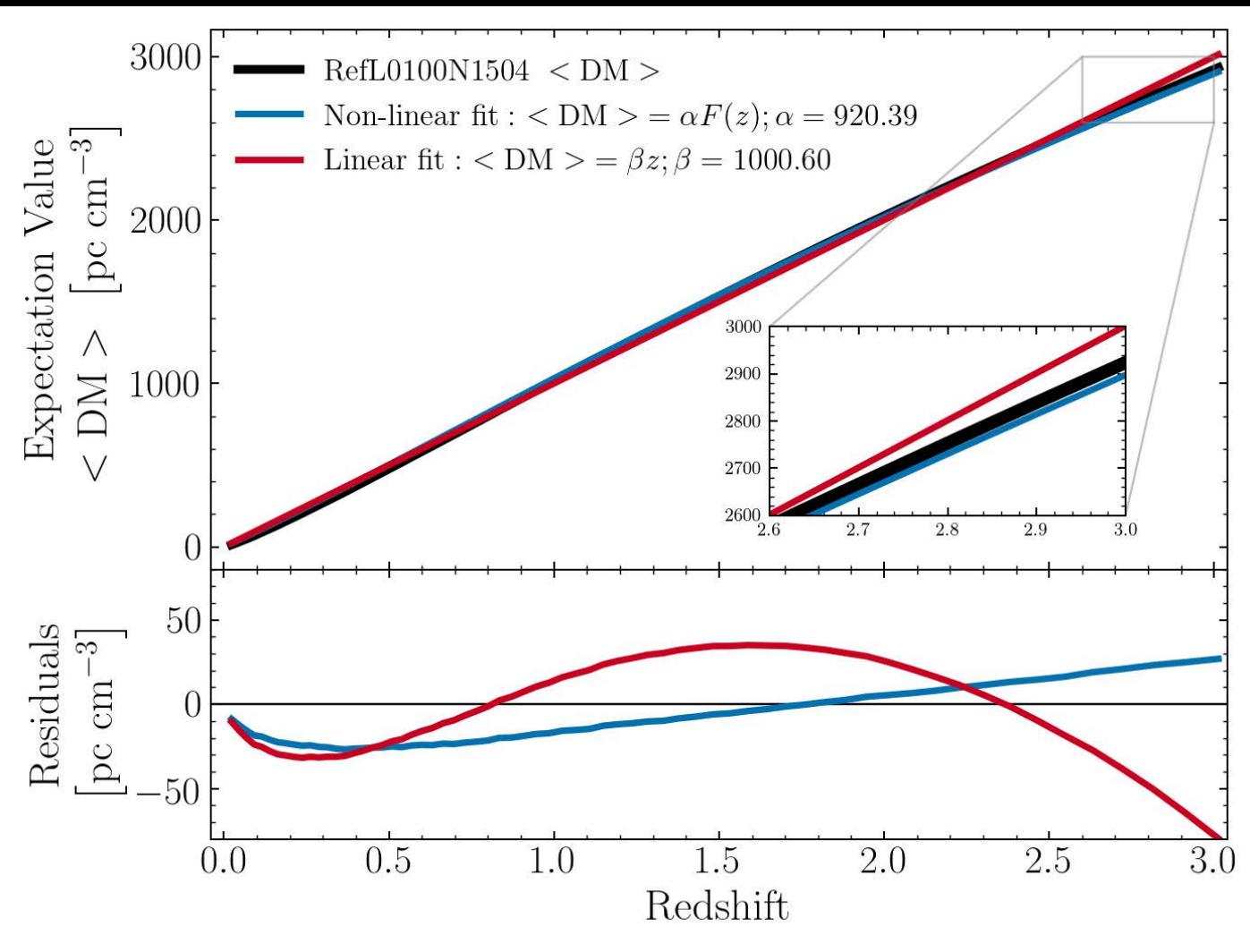
FRB Host
Redshift

IGM

Summary:

- We measured the DM for more than 1 billion lines-of-sights through the EAGLE simulations
- We find a DM-z relation with a slope of approx. 1000 pc cm^{-3}
- We find a scatter around the mean much lower than McQuinn (2014).
- Our model will be added to FRB redshift estimation code FRUITBAT





$$\langle \text{DM} \rangle = \alpha F(z)$$

$$F(z) = \int_0^{z'} \frac{1+z}{\sqrt{\Omega_m(1+z)^3 + \Omega_\Lambda}} dz$$

$$\alpha = \frac{3cH_0\chi}{8\pi G m_p} \Omega_b f_{\text{IGM}}$$